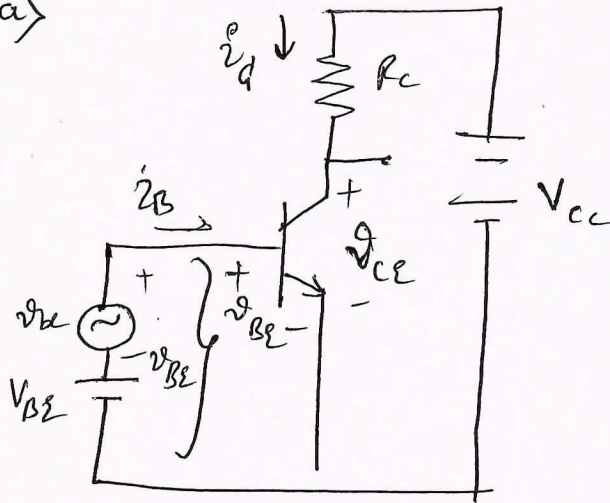


Q. 05	a	With a neat block diagram explain the working of a Voltage series feedback amplifier. How are the overall gain, input and output impedances affected in these amplifiers?	L1,L2	8
	b	Show how Gain can be desensitized and bandwidth increased with the application of negative feedback.	L3	8
	c	Draw the circuit of a practical Voltage Shunt (or transresistance) feedback amplifier and explain its working.	L2	4
OR				
Q. 06	a	Explain a Class B Output stage. Prove that the maximum conversion efficiency of a Class B transformer coupled amplifier is 78.5%.	L1,L2	8
	b	A transformer coupled class A power amplifier supplies to an 80Ω load connected across the secondary of a step down transformer having a turns ratio 5:1. Determine the maximum power output for a zero signal collector current of 120mA.	L3	6
	c	What is cross over distortion? How can it be eliminated?	L2	6
Module-4				
Q. 07	a	Explain with a neat diagram and relevant expressions, an opamp voltage series feedback amplifier	L1,L2	8
	b	Explain the following: 1) Virtual ground 2) Opamp AC amplifier	L1	6
	c	For an opamp non-inverting amplifier using 741 IC with $R_L=1\text{ K}\Omega$ and $R_F=10\text{K}\Omega$, $A=200,000$; $R_i=2\text{M}\Omega$, $R_o=75\Omega$, $f_o=5\text{ Hz}$; supply voltages $\pm 15\text{V}$, output voltage swing = $\pm 13\text{V}$, Compute A_F , R_{if} , R_{of} , f_f .	L3	6
OR				
Q. 08	a	Explain an Instrumentation amplifier using transducer bridge with relevant equations.	L1	8
	b	Explain the basic comparator circuit using an opamp. How can this circuit be used in an application as a zero crossing detector?	L1	6
	c	For a Schmitt trigger circuit; $R_1=150\Omega$ and $R_2=68\text{k}\Omega$, $v_{in}=500\text{mVp-p}$ sine wave and saturation voltages are $=\pm 14\text{ V}$. Determine the threshold voltages V_{ut} and V_{lt} . Draw the output waveforms.	L3	6
Module-5				
Q. 09	a	Explain the operation of 4-bit R-2R DAC with neat circuit. For the R-2R DAC, with $R=10\text{k}\Omega$ and $R_F=20\text{k}\Omega$ and $V_{REF}=5\text{V}$, determine the output voltage when the inputs $b_0=b_1=5\text{V}$ and $b_2=b_3=0\text{V}$	L2,L3	8
	b	Explain the operation of a Successive -approximation ADC with neat circuit diagram.	L2	6
	c	Draw the circuit and frequency response of a first order low pass filter. Design a first order low pass filter to have a cutoff frequency of 1kHz with a passband gain of 2.	L1,L3	6
OR				
Q. 10	a	Draw and Explain the circuit and frequency response of a wide band-pass filter.	L1	6
	b	Explain the operation of a monostable multivibrator with relevant diagrams and waveforms.	L1,L2	8

	c	In the astable multivibrator $R_A=2.2k\Omega$, $R_B=3.9k\Omega$ and $C=0.1\mu F$. Determine the positive pulse width t_o , negative pulse width t_d and free-running frequency.	L3	6
--	---	---	----	---

*Bloom's Taxonomy Level: Indicate as L1, L2, L3, L4, etc. It is also desirable to indicate the COs and POs to be attained by every bit of questions.

1a)



Total Marks
6M

→ 1M.

Instantaneous base emitter voltage is given by

$$v_{BE} = V_{BE} + v_{be} \rightarrow (1)$$

WKT, $i_C = I_S e^{v_{BE}/V_T} \rightarrow (2)$

$$\therefore i_C = I_S e^{(V_{BE} + v_{be})/V_T}$$

$$i_C = I_S e^{V_{BE}/V_T} e^{v_{be}/V_T}$$

$$i_C = I_C e^{v_{be}/V_T}$$

If $v_{be} \ll V_T$ we can write

$$i_C = I_C \left(1 + \frac{v_{be}}{V_T} \right) \rightarrow (3)$$

$$\therefore i_C = I_C + \frac{I_C}{V_T} v_{be} \rightarrow (4)$$

\downarrow DC comp
 \downarrow small sig component

$$i_c = \frac{I_C}{V_T} v_{be} \rightarrow (5)$$

Total - 6M

$$I_c = g_m v_{be} \rightarrow (6)$$

②

$$\therefore g_m = \frac{I_c}{V_T} \quad \text{or} \quad g_m = \frac{i_c}{v_{be}} \rightarrow (7)$$

Apply KCL at o/p side

1M

$$-V_{cc} + i_c R_c + v_d = 0 \rightarrow (8)$$

$$\begin{aligned} v_d &= V_{cc} - i_c R_c \rightarrow \\ &= V_{cc} - (I_{CQ} + i_c) R_c \\ &= (V_{cc} - I_{CQ} R_c) - i_c R_c \end{aligned}$$

$$v_d = \underbrace{V_{CQ}}_{DC \text{ comp}} - \underbrace{i_c R_c}_{AC \text{ comp}} \rightarrow (9)$$

3M

$$\begin{aligned} \therefore v_c &= -i_c R_c \\ v_c &= -(g_m v_{be}) R_c \\ v_c &= (-g_m R_c) v_{be} \end{aligned}$$

$$A_{v_e} = \frac{v_c}{v_{be}} = -g_m R_c \rightarrow (10)$$

∴ A_{v_e}

1b)

$$\beta = 100 \quad I_C = 1 \text{ mA}$$

Total Marks :- 6M

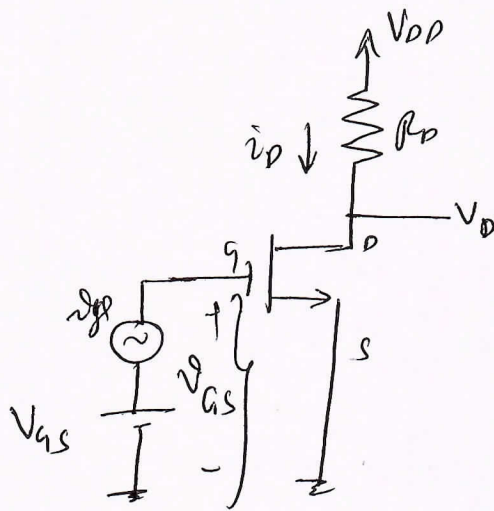
(3)

$$i) \quad g_m = \frac{I_C}{V_T} = \frac{1 \text{ mA}}{25 \text{ mV}} = 40 \text{ mA/V} \rightarrow \boxed{2M}$$

$$ii) \quad r_e = \frac{1}{g_m} = \frac{1}{40 \text{ mA/V}} = 25 \Omega \rightarrow \boxed{2M}$$

$$iii) \quad r_{\pi} = (1 + \beta) r_e = 2.5 \text{ k}\Omega \rightarrow \boxed{2M}$$

1c)



Total Marks
8M

 $\rightarrow \textcircled{1M}$

1) From above figure

$$v_{V_{GS}} = v_{gs} + V_{GS} \rightarrow \textcircled{1}$$

2) The instantaneous drain current i_D is given by

$$i_D = \frac{1}{2} k_n' \frac{W}{L} (v_{V_{GS}} - V_t)^2 \rightarrow \textcircled{2}$$

$$i_D = \frac{1}{2} k_n' \frac{W}{L} [(v_{gs} + V_{GS}) - V_t]^2$$

$$= \frac{1}{2} k_n' \frac{W}{L} [(V_{GS} - V_t) + v_{gs}]^2$$

$$i_D = \frac{1}{2} k_n' \frac{W}{L} [(V_{GS} - V_t)^2 + 2(V_{GS} - V_t)v_{gs} + v_{gs}^2]$$

Ans. c.m.

$$i_D = \frac{1}{2} k_n' \frac{W}{L} (V_{GS} - V_T)^2 + k_n' \frac{W}{L} (V_{GS} - V_T) v_{gs} + \frac{1}{2} k_n' \frac{W}{L} v_{gs}^2 \quad (4)$$

1) First term \rightarrow dc bias current I_D

2) Second term \rightarrow current component directly proportional to v_{gs}

3) Third term \rightarrow current component proportional to square of v/p signal v_{gs}

Third term is undesirable because it represents non-linear distortion \rightarrow (2M)

$$\frac{1}{2} k_n' \frac{W}{L} v_{gs}^2 \ll k_n' \frac{W}{L} (V_{GS} - V_T) v_{gs} \rightarrow (5)$$

$$v_{gs} \ll 2(V_{OV}) \rightarrow (6)$$

WKT,

$$i_D = I_D + i_d \rightarrow (7)$$

When

$$i_d = k_n' \frac{W}{L} (V_{GS} - V_T) v_{gs} \rightarrow (8)$$

$$g_m = \frac{\partial i_d}{\partial v_{gs}} = k_n' \frac{W}{L} (V_{GS} - V_T) \rightarrow (9) \rightarrow (1M)$$

$$g_m = k_n' \frac{W}{L} (V_{OV}) \rightarrow (10)$$

Voltage Gain

The instantaneous drain voltage is given by. (5)

$$-V_{DD} + v_D R_D + v_D = 0$$

$$v_D = V_{DD} - v_D R_D \rightarrow (1)$$

Under small signal condition we have,

$$i_D = I_D + i_d \rightarrow (2)$$

Substituting (2) in (1)

$$v_D = V_{DD} - (i_d + I_D) R_D$$

$$= \underbrace{V_{DD} - I_D R_D}_{DC} - \underbrace{R_D i_d}_{AC}$$

$$v_D = V_D - i_d R_D \rightarrow (3)$$

NKT $v_D = V_D + v_d \rightarrow (4)$

Comparing (3) & (4)

$$v_d = -i_d R_D \rightarrow (5)$$

NKT. $g_m = \frac{i_d}{v_{gs}} \rightarrow (6)$

$$v_d = -g_m v_{gs} R_D$$

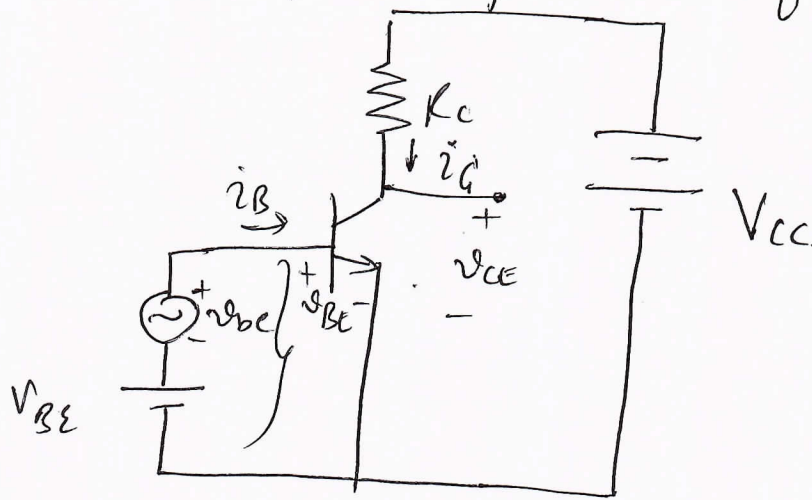
$$v_d = (-g_m R_D) v_{gs}$$

Phd.C.M.I

→ K.M

$$\therefore \left(A_{v0} = \frac{v_d}{v_{gs}} = -g_m R_D \right) \rightarrow (7) \quad (6)$$

2a) Small signal operation of BJT.



Total Marks
8M

→ 1M

The total base current i_B is given by:

$$i_B = \frac{i_C}{\beta} \rightarrow (1)$$

$$i_C = I_C + \frac{I_C}{V_T} v_{be}$$

Hence we get,

$$i_B = \frac{I_C}{\beta} + \frac{I_C}{\beta V_T} v_{be} \rightarrow (2)$$

$$\text{Since } i_B = I_B + i_b \rightarrow (3)$$

- Comparing (3) & (2)

$$I_B = I_C / \beta$$

$$i_b = \frac{1}{\beta} \frac{I_C}{V_T} v_{be} \rightarrow (4) \rightarrow \left[\frac{1}{2} M \right]$$

hence.

NKT, $\frac{I_C}{V_T} = g_m$

$$i_b = \frac{g_m v_{be}}{\beta} \rightarrow (5)$$

$$\frac{1}{2} m$$

Here small signal input resistance base ~~and~~ emitter looking from base is denoted by

$$r_{\pi} = \frac{v_{be}}{i_b} = \frac{\beta}{g_m} \rightarrow (6)$$

Substituting $g_m = \frac{I_C}{V_T}$

$$r_{\pi} = \frac{\beta}{I_C / V_T}$$

$$\therefore r_{\pi} = \frac{\beta V_T}{I_C} \rightarrow (7)$$

$$\therefore r_{\pi} = \frac{V_T}{I_B} \rightarrow (8)$$

$$2m$$

2) Emitter Resistance

The total emitter current is given by

$$i_E = \frac{i_b}{\alpha} = \frac{I_b}{\alpha} + \frac{i_c}{\alpha} \rightarrow (9)$$

$$i_E = I_E + i_c \rightarrow (10)$$

Comparing (1) & (2)

$$i_e = I_E + i_c$$

$$\boxed{I_E = \frac{I_C}{\alpha}} \rightarrow (3)$$

$$\boxed{i_e = \frac{i_c}{\alpha} = \frac{I_C}{\alpha V_T} v_{be} = \frac{I_E}{V_T} v_{be}} \rightarrow (4)$$

$$\therefore \boxed{r_e = \frac{v_{be}}{i_e} = \frac{V_T}{I_E}}$$

1M

Relationship between r_{π} & r_e

DKT,

$$r_{\pi} = \frac{v_{be}}{i_b} \rightarrow (1)$$

$$r_e = \frac{v_{be}}{i_e} \rightarrow (2)$$

from (1) & (2)

$$v_{be} = r_{\pi} i_b = r_e i_e \rightarrow (3)$$

Here we get

$$r_{\pi} = \frac{i_e}{i_b} r_e$$

$$\therefore \boxed{r_{\pi} = (1 + \beta) r_e} \rightarrow (4)$$

2M

total cm

26) $g_m = 1 \text{ mA/V}$. $K_n' = 50 \mu\text{A/V}^2$ $I_D = 0.1 \text{ mA}$ (9)

Total marks :- 6M

$$I_D = \frac{1}{2} K_n' \frac{W}{L} (V_{GS} - V_T)^2 = \frac{1}{2} K_n' \frac{W}{L} (V_{OV})^2 \rightarrow (1)$$

~~0.1 mA~~ $g_m = K_n' \frac{W}{L} (V_{OV})$

$\rightarrow (2)$

$\rightarrow [1M]$

$$0.1 \text{ mA} = \frac{1}{2} \times 50 \mu \times \frac{W}{L} \times (V_{OV})^2 \rightarrow (3)$$

$$1 \text{ mA} = 50 \mu \times \frac{W}{L} \times (V_{OV}) \rightarrow (4)$$

$$\left(\frac{W}{L}\right) \times V_{OV} = 20 \mu \rightarrow (5)$$

Substituting (5) in (3)

$$0.1 \text{ mA} = 25 \mu \times 20 \times V_{OV} \rightarrow$$

$$\boxed{V_{OV} = 0.2 \text{ V}}$$

$\rightarrow (6)$

$\rightarrow [2M]$

Substituting (6) in (5)

$$\frac{W}{L} = \frac{20}{V_{OV}} = 100 \rightarrow [1M]$$

$\rightarrow [1M]$

Roll. no.

2c) Disadvantage of biasing by fixing V_{GS}

(10)

$$I_D = \frac{1}{2} \mu_n C_{ox} \frac{W}{L} (V_{GS} - V_T)^2$$

Total Marks
6M

C_{ox} = oxide capacitance

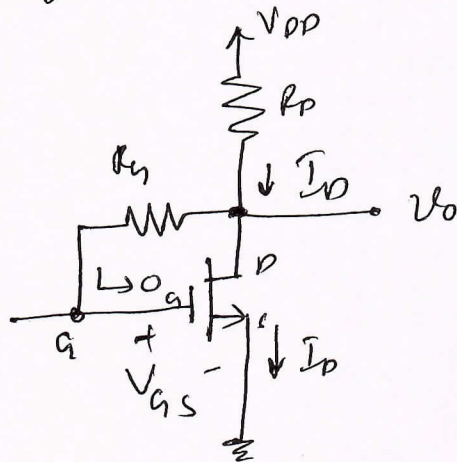
μ_n = mobility of electron

W/L = transistor aspect ratio

V_T = threshold voltage

- 1) The transistor aspect ratio (W/L) varies widely from MOSFET to MOSFET. This causes change in value of I_D .
- 2) Furthermore μ_n & V_T depends on temperature. Hence by fixing V_{GS} , the drain current I_D becomes more temperature dependent.

Biasing using Drain to Gate feedback resistor



→ 7M

- 1) In above figure we can see that R_D provides negative feedback between drain & gate.
- 2) R_D is usually selected very large (M Ω) so that dc voltages at gate is same as at drain.

Applying KVL at o/p side

$$-V_{DD} + I_D R_D + V_{DS} = 0$$

$$\therefore V_{DD} = V_{DS} + I_D R_D \rightarrow (1) \rightarrow \boxed{IM}$$

Because R_S is very large we can write

$$V_{DS} = V_{GS} \rightarrow (2)$$

Substituting (2) in (1)

$$V_{DD} = V_{GS} + I_D R_D \rightarrow (3) \rightarrow \boxed{IM}$$

From eqn (3) we can see that if I_D increases, V_{GS} decreases, If V_{GS} decreases, I_D will decrease ($\because V_{DD}$ is constant)

Here R_D provides negative feedback & makes I_D stable.

$\rightarrow \boxed{IM}$

Adh. C.M

3a) Common-Drain Amplifier or Source follower (12)

Total Marks
8M

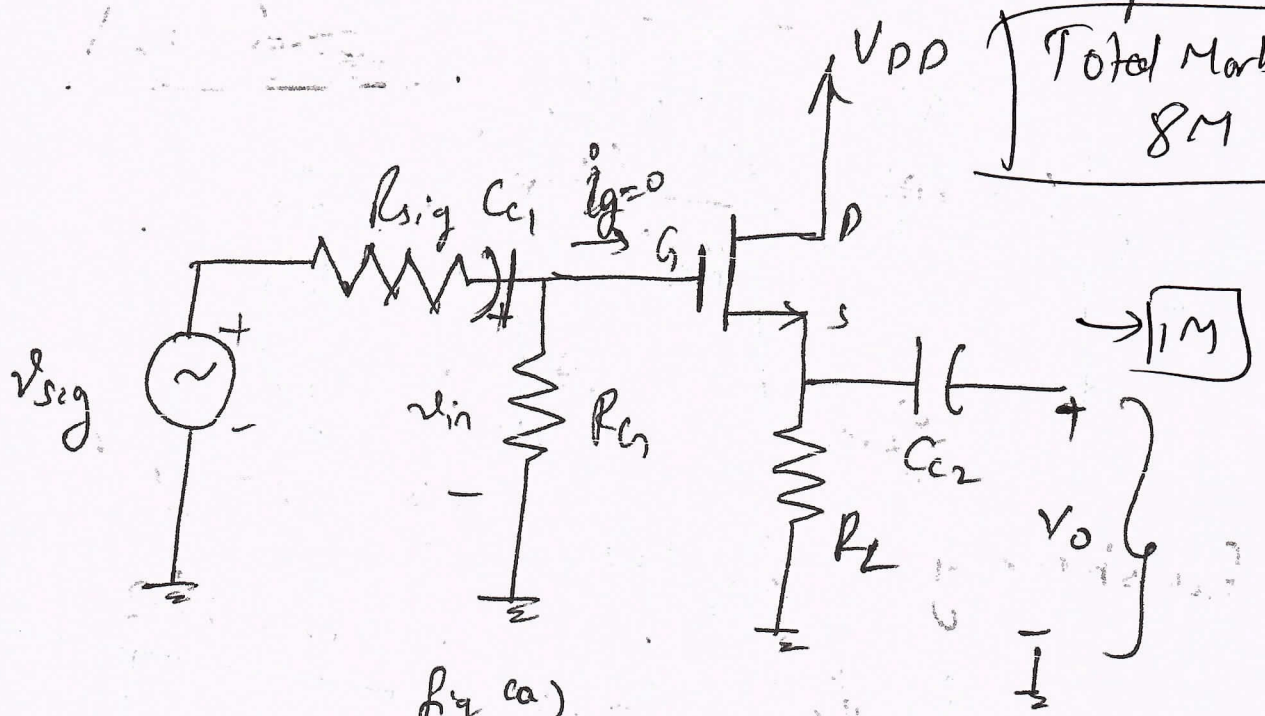


Fig (a)

1) Fig (a) shows Source follower configuration.

2) Here input signal v_{sig} is applied to gate via R_{sig} . & o/p is taken at source. Hence the name "source follower".

3) Capacitor C_1, C_2 acts as ac short circuit & DC open circuit.

4) O/p voltage is measured across R_L .

AC Equivalent circuit

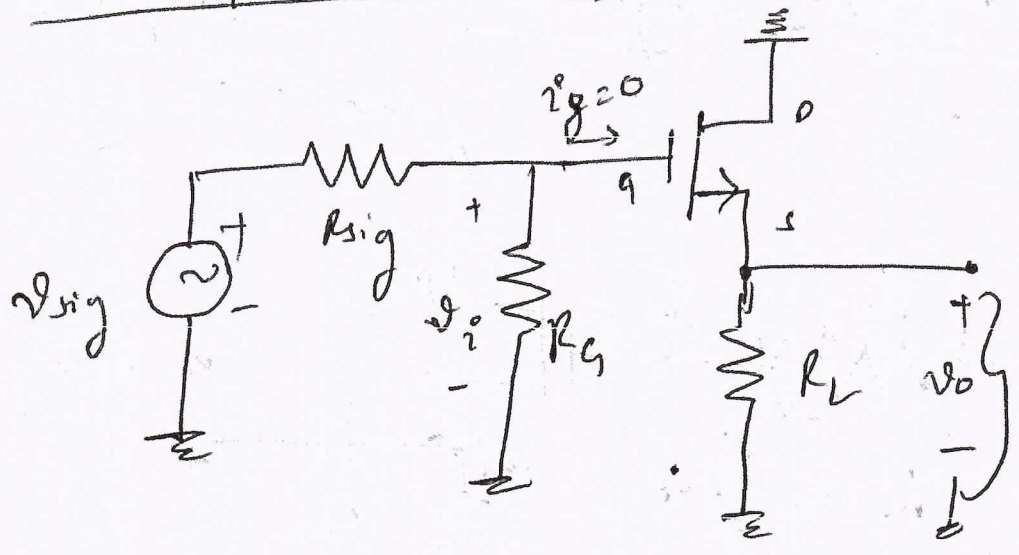


Fig (b)

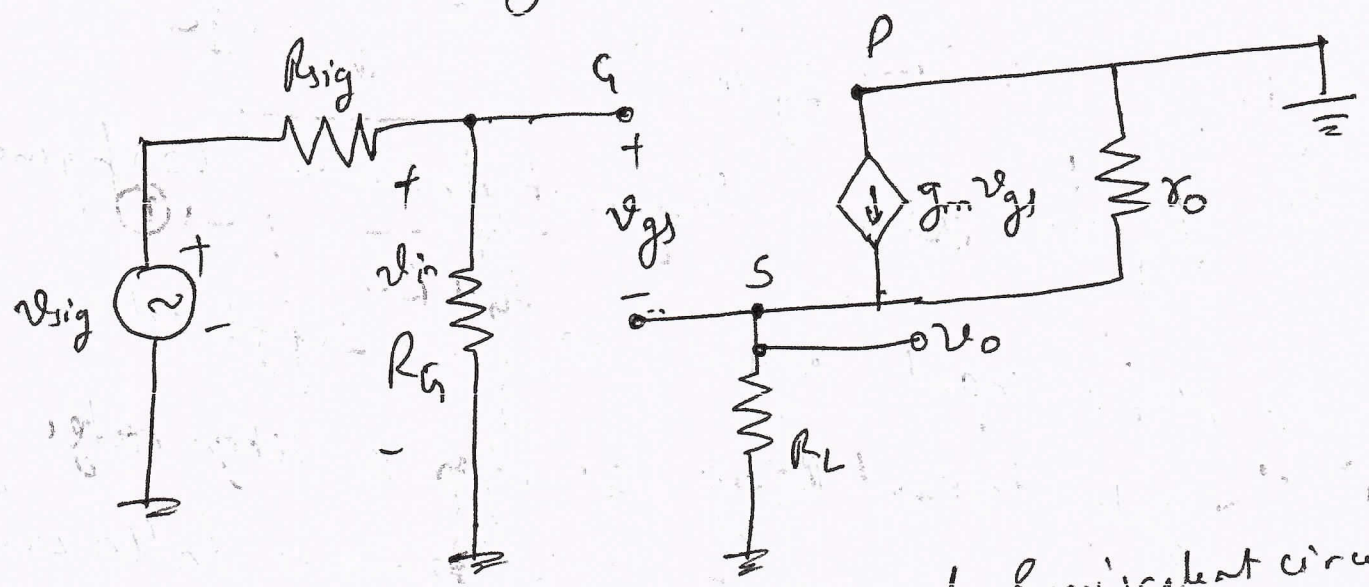


Fig. (c) :- Small signal Equivalent circuit

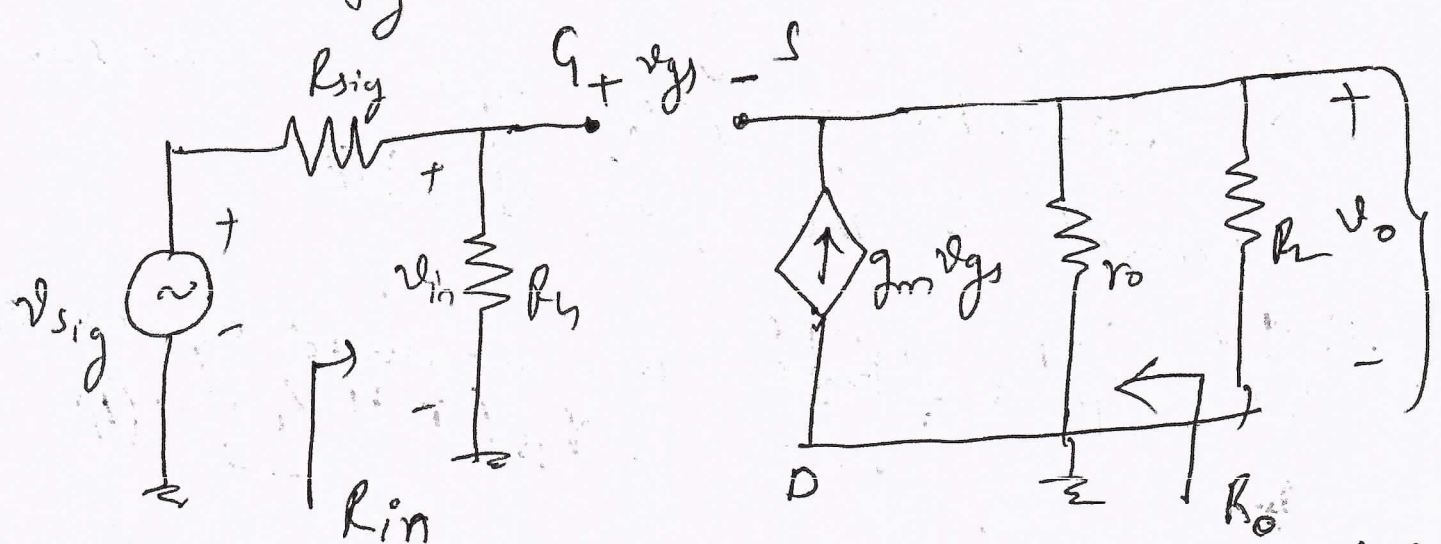


Fig (d) = Small signal equivalent ckt (by rearranging)
 Add. C.A.

5) Fig (d) can be used to determine input resistance, output resistance & voltage gain. (14)

6) Input resistance R_{in} is given by

$$R_{in} = R_g \rightarrow (1) \rightarrow (M)$$

7) The input voltage V_{in} is determined by applying voltage divider bias formula.

$$V_{in} = V_{sig} \times \frac{R_g}{R_g + R_{sig}} \rightarrow (2)$$

8) The input gate resistance R_g is very large (ranges from $1M\Omega - 10M\Omega$)

Hence $R_g \gg R_{sig}$.

$$\therefore V_{in} = V_{sig} \rightarrow (3)$$

9) The o/p voltage is given by

$$V_o = g_m V_{gs} (r_{o1} || R_L) \rightarrow (4)$$

10) Applying KVL b/w i/p & o/p (15)

$$-v_{in} + v_{gs} + v_o = 0$$

$$\therefore v_{in} = v_o + v_{gs} \rightarrow (5)$$

Substituting (4) in (5)

$$\therefore v_{in} = v_{gs} + g_m v_{gs} (r_o || R_L)$$

Hence

$$A_v = \frac{v_o}{v_{in}} = \frac{g_m v_{gs} (r_o || R_L)}{v_{gs} [1 + g_m (r_o || R_L)]}$$

$$A_v = \frac{g_m (r_o || R_L)}{1 + g_m (r_o || R_L)}$$

$$A_v = \frac{(r_o || R_L)}{\frac{1}{g_m} + (r_o || R_L)} \rightarrow (6)$$

If

$$r_o = \infty$$

$$A_v = \frac{R_L}{\frac{1}{g_m} + R_L} \rightarrow (7)$$

To determine R_o

1) Make $v_{sig} = 0$

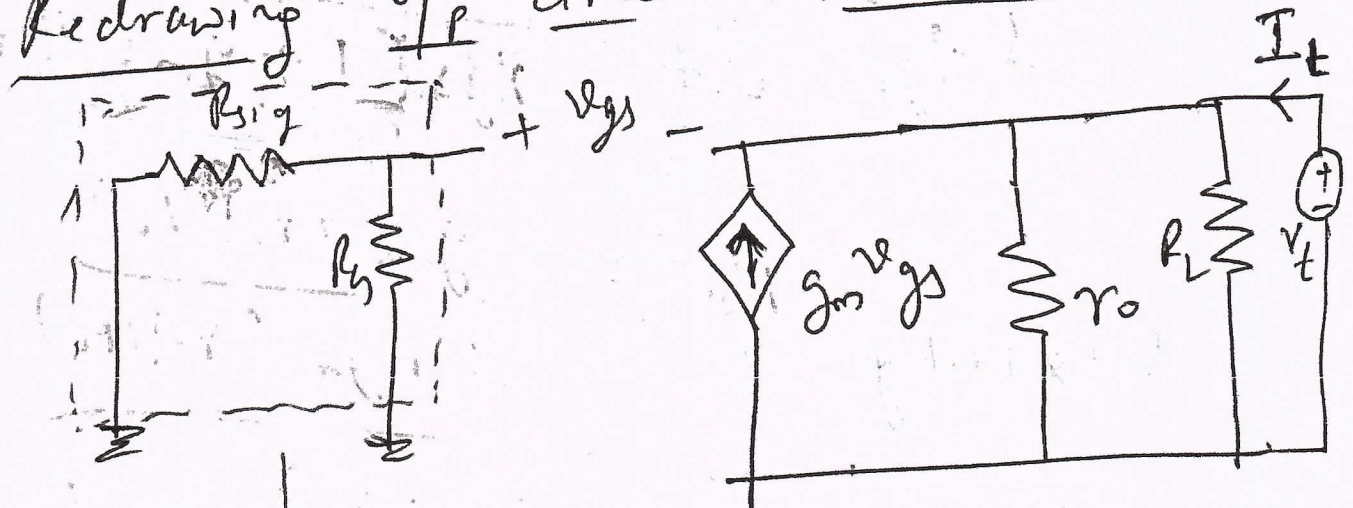
2) Apply test voltage v_t at o/p terminals

→ $2M$ (16)

Since $v_{sig} = 0$ by eqn (13) we can

write $v_{sig} = v_i = 0$

Redrawing o/p circuit we have



→ gnd

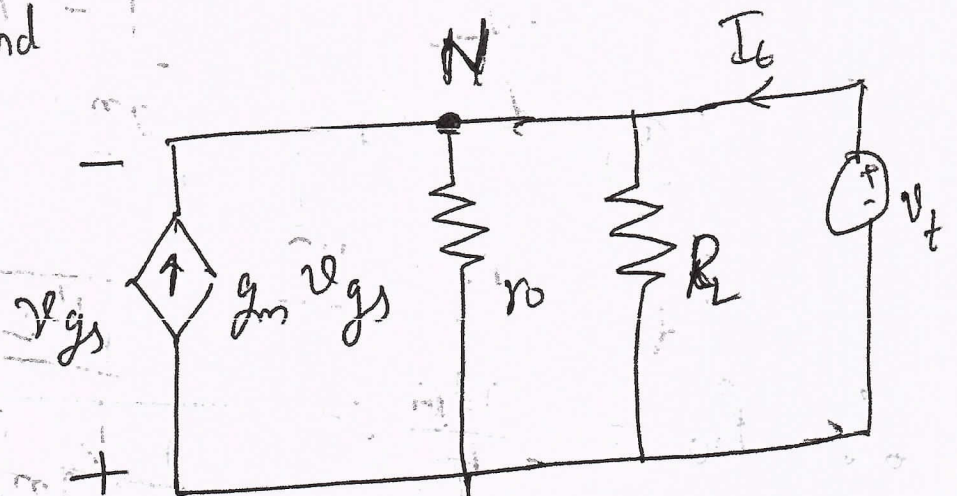


Fig (e) Sol. cm

Applying KCL at node N.

(17)

$$I_t + g_m v_{gs} = \frac{v_t}{r_o} + \frac{v_t}{R_L}$$

$$I_t = v_t \left(\frac{1}{r_o} + \frac{1}{R_L} \right) - g_m v_{gs}$$

↳ (8)

Applying KVL at o/p side in l_g (e)

$$+v_{gs} + v_t = 0$$

$$\therefore \boxed{v_{gs} = -v_t} \Rightarrow (9)$$

Substituting (9) in (8)

$$I_t = v_t \left(\frac{1}{r_o} + \frac{1}{R_L} \right) - g_m (-v_t)$$

$$I_t = v_t \left[\frac{1}{r_o} + \frac{1}{R_L} + g_m \right]$$

$$\therefore R_o = \frac{v_t}{I_t} = \frac{1}{\frac{1}{r_o} + \frac{1}{R_L} + g_m}$$

Abul.com

(18)

$$\therefore R_o = \frac{1}{\frac{1}{r_o} + \frac{1}{R_L} + \frac{1}{g_m}}$$

$$R_o = r_o \parallel R_L \parallel \frac{1}{g_m} \rightarrow (10)$$

2M

Usually

$$r_o \gg R_L$$

$$R_o = R_L \parallel \frac{1}{g_m} \rightarrow (11)$$

Bob C.M.

2b)

1) $R_{in} = \infty$

2) $A_{vo} = -g_m (R_D || r_o)$

Total Marks
8m

WICF:

$$g_m = k_n' \frac{W}{L} (V_{ov})$$

But, $I_D = \frac{k_n'}{2} \frac{W}{L} (V_{gs} - V_t)^2$

$$I_D = \frac{k_n'}{2} \frac{W}{L} (V_{ov})^2$$

$$I_D = \frac{g_m}{2} V_{ov}$$

$$g_m = \frac{2I_D}{V_{ov}} = 2 \text{ mS}$$

$$r_o = \frac{V_A}{I_D} = \frac{50}{0.25 \text{ mA}} = 200 \text{ k}\Omega$$

$$A_{vo} = -2 \text{ mS} (R_D || r_o)$$

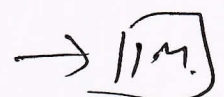
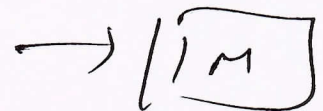
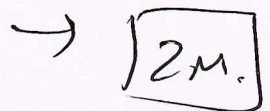
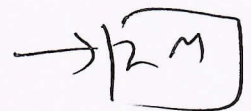
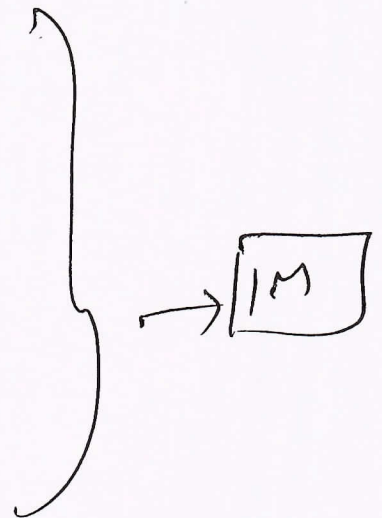
$$= -36.4$$

3) $R_o = R_D || r_o = 18.2 \text{ k}\Omega$

4) $A_{v2} = G_{v2} = -g_m (R_D || r_o || R_L) = -19$

5) $v_{gs} = (10\%) 2 V_{ov}$
 $= 0.05 \text{ V}$

$$v_{o2} = A_{v2} v_{gs} = 19 \times 0.05 = 0.95 \text{ V}$$



3E)

$R = 200k\Omega$ $C = 200pF$

Total Marks
4M

$$f = \frac{1}{2\pi RC\sqrt{6}}$$

→ 1M

$$= \frac{1}{2\pi \times 200 \times 10^3 \times 200 \times 10^{-12} \times \sqrt{6}}$$

→ 1M

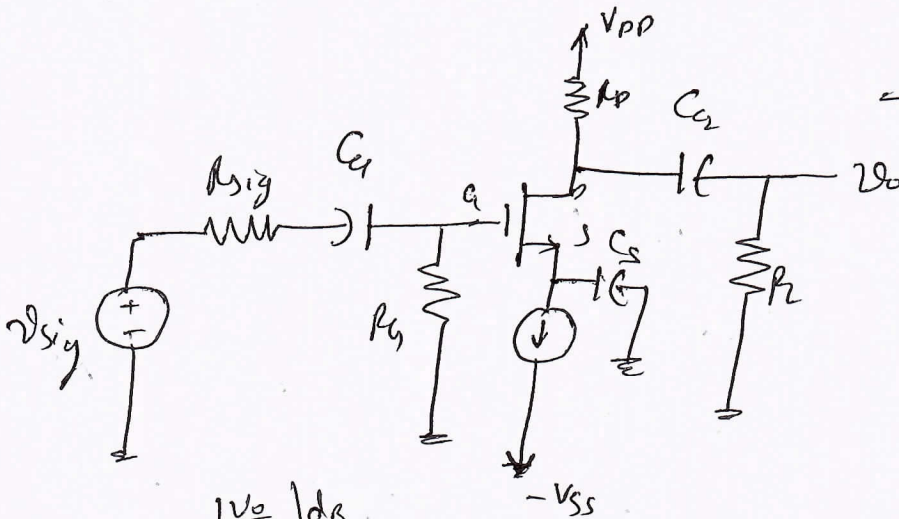
$$= \frac{1}{0.000615311}$$

→ 1M

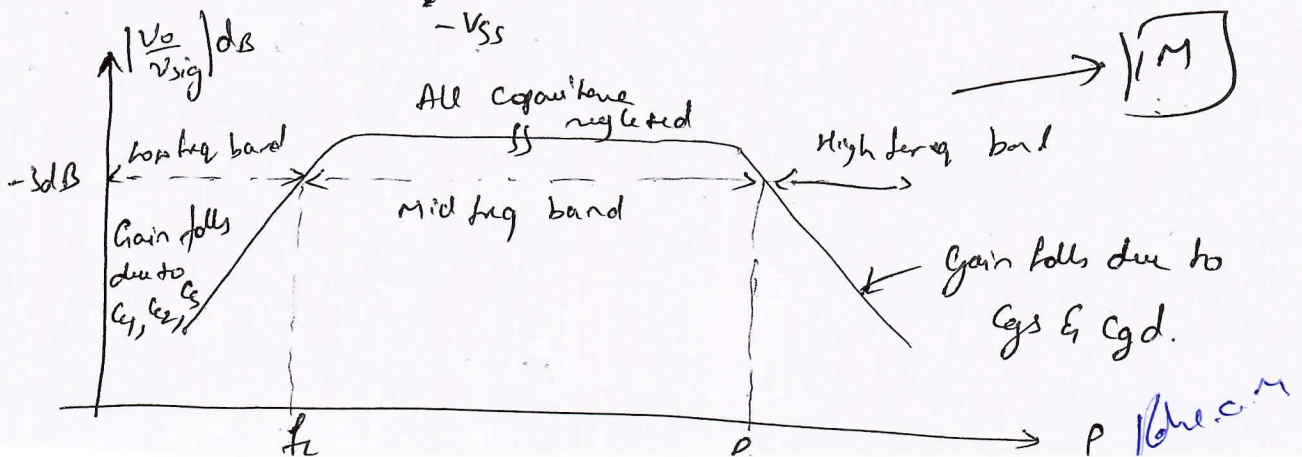
$$= 1625 \text{ Hz or } 1.625 \text{ kHz} \rightarrow 1M$$

4a) Common Source Amplifier

Total Marks
10M



→ 1M



→ 1M

1) From the gain frequency graph we can see that - at lower frequency the gain falls due to effect of C_1, C_s, C_2 . (21)
($f < f_L$)

2) At midfreq. the capacitor C_1, C_2, C_s act like short circuit & we get maximum gain at mid-frequency low

3) As frequency is increased further in high frequency range ($f > f_H$) gain falls off due to effect of parasitic capacitance C_{gs} & C_{gd} . \rightarrow (20)

The gain of CS amplifier is given by.

$$A_m = \frac{V_o}{V_{sig}} = - \frac{f_H}{R_{sig} + R_{in}} g_m (r_{o1} || R_{o1} || R_L)$$

At -3dB we get bandwidth given by.

$$B.W = f_H - f_L.$$

The figure of merit for CS Amplifier is gain - bandwidth product

$$C.B = |A_m| B.W. \rightarrow \boxed{IM}$$

Phd.com

Low frequency response

(22)

To determine low frequency response we have to make $V_{DD} = 0$ & ignore r_o , Now when v_{sig} is applied

$$v_g = v_{sig} \cdot \frac{R_{in}}{R_{in} + \frac{1}{sC_{c1}} + R_{sig}}$$

$$v_g = v_{sig} \times \frac{R_{in}}{R_{in} + R_{sig}} \times \frac{s}{s + \frac{1}{C_{c1}(R_{in} + R_{sig})}}$$

The break frequency ω_{p1} is given by $\rightarrow [RM]$

$$\omega_{p1} = \omega_0 = \frac{1}{C_{c1}(R_{in} + R_{sig})} \rightarrow [IM]$$

We determine I_d by dividing v_g by total impedance.

$$I_d = \frac{v_g}{\frac{1}{g_m} + \frac{1}{sC_{c2}}}$$

$$I_d = g_m v_g \cdot \frac{s}{s + \frac{g_m}{C_{c2}}}$$

total c.m.

$$I_d = g_m V_g \left(\frac{s}{s + \frac{g_m}{C_S}} \right)$$

(23)

C_S introduces frequency dependent factor.

Here another break frequency is given by

$$\omega_{p2} = \frac{-g_m}{C_S}$$

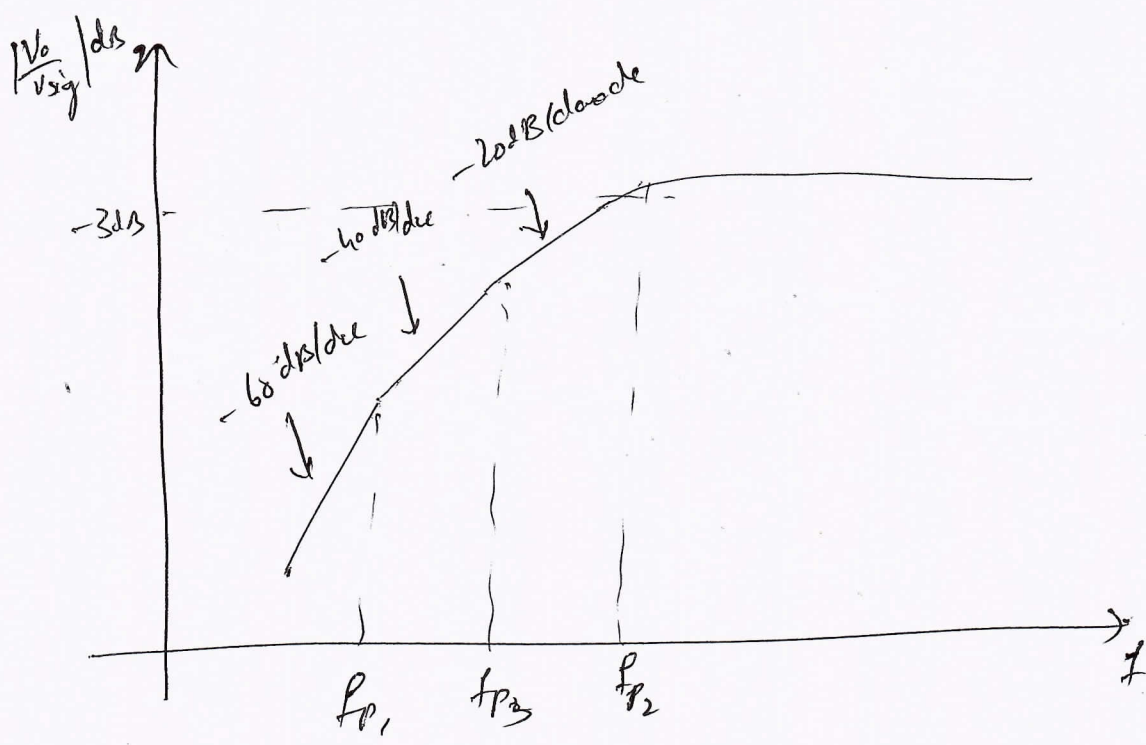
$$\therefore I_o = -I_d \frac{R_o}{R_o + \frac{1}{sC_2} + R_L}$$

$$V_o = I_o R_L = -I_o \frac{R_o R_L}{R_o + R_L} \frac{s}{s + \frac{1}{C_2 (R_o + R_L)}}$$

Finally C_2 will introduce another break frequency

$$\omega_{p3} = \frac{1}{C_2 (R_o + R_L)}$$

$$\therefore \frac{V_o}{V_{sig}} = - \left(\frac{R_o}{R_o + R_{sig}} \right) (g_m (R_o || R_L)) \left(\frac{s}{s + \omega_{p1}} \right) \left(\frac{s}{s + \omega_{p2}} \right) \left(\frac{s}{s + \omega_{p3}} \right)$$



4b)

$$A_m = - \frac{R_4}{R_4 + R_{i3}} g_m R_2'$$

Total Marks
6M

$$R_2' = R_1 \parallel R_p \parallel R_2 = 150 \parallel 15 \parallel 15 = 7.14 \text{ k}\Omega \rightarrow \boxed{1 \text{ M}}$$

$$g_m R_2' = 1 \times 7.14 = 7.14 \text{ V/V} \rightarrow \boxed{1 \text{ M}}$$

$$\text{Then } A_m = - \frac{4.7}{4.7 + 0.1} \times 7.14 = -7 \text{ V/V} \rightarrow \boxed{1 \text{ M}}$$

$$C_{eq} = (1 + g_m R_2') C_{gd} = (1 + 7.14) \times 0.4 = 3.26 \text{ pF}$$

done

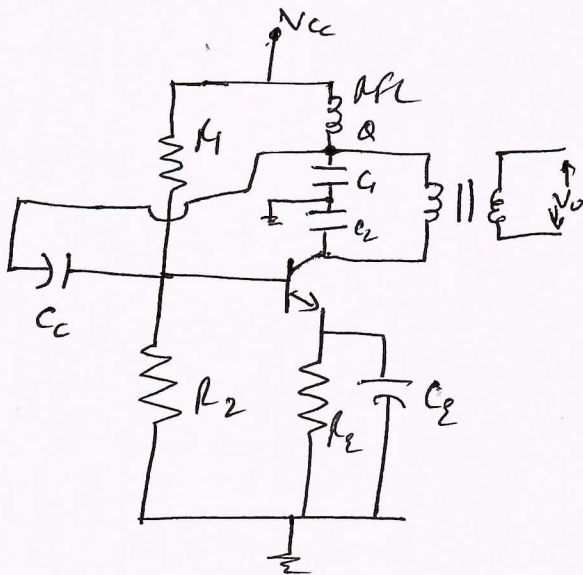
$$C_{in} = C_{gs} + C_{eq} = 1 + 3.26 = 4.26 \text{ pF} \quad \rightarrow \boxed{25}$$

$$f_H = \frac{1}{2\pi C_{in} (R_{sig} || R_g)}$$

$$= \frac{1}{2\pi \times 4.26 \times 10^{-12} (0.1 || 7) \times 10^6}$$

$$= 382 \text{ kHz} \quad \rightarrow \boxed{2M}$$

4c) Colpitts Oscillator



$\rightarrow \boxed{2M}$

The oscillator consists of two stages. i.e. Common Emitter stage. which introduces phase shift of 180° , where R_1 & R_2 are used to establish desired operating point.

Adul. C. ~

2) The voltage across C_1 is fed back to amplifier input through coupling capacitor. (26)

3) Due to split capacitor arrangement, the tank ckt introduces 180° phase shift.

4) Overall phase shift is 360° .

→ [LM]

Frequency of oscillation is given by

$$f = \frac{1}{2\pi \sqrt{L C_{eq}}}$$

where $C_{eq} = \frac{C_1 C_2}{C_1 + C_2}$

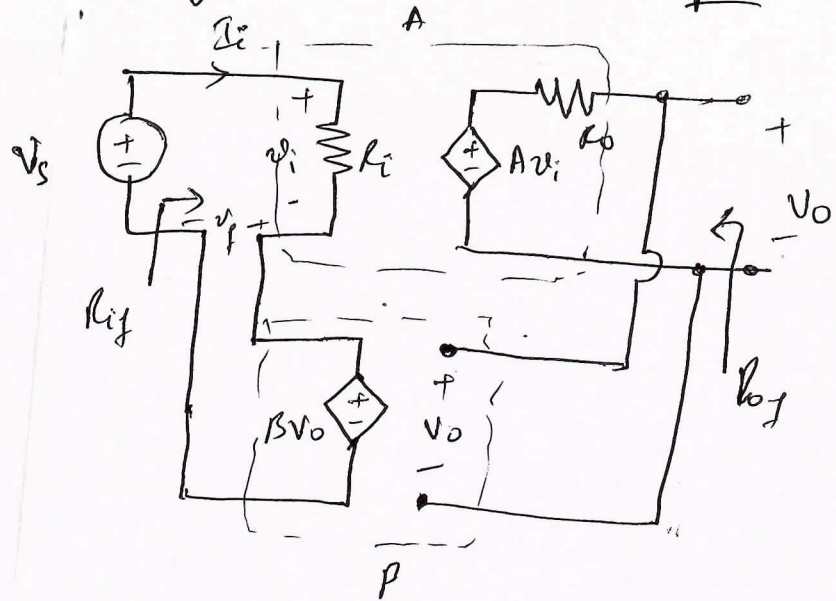
Condition for sustained oscillation is given by

$$h_{fe} \geq \frac{C_2}{C_1}$$

→ [LM]

total cr

Voltage Series Feedback Amplifier



Total Marks
8M

→ 1M

Voltage Gain

$$V_o = A v_i$$

$$= A (v_s - v_f)$$

$$V_o = A (v_s - \beta V_o)$$

$$V_o (1 + A\beta) = A v_s$$

$$\therefore A_f = \frac{V_o}{v_s} = \frac{A}{1 + A\beta}$$

→ (1) → 1M

With feedback the closed loop voltage gain is reduced by factor (1 + Aβ)

$$ii) R_{if} = \frac{V_s}{I_i} = \frac{V_s}{v_i/R_i} = R_i \frac{V_s}{v_i} \rightarrow$$

Applying KVL at i/p side

$$-V_s + v_i + v_f = 0$$

$$V_s = v_i + v_f$$

$$V_s = v_i + \beta V_o$$

$$V_s = v_i + \beta (A v_i)$$

$$R_{if} = \frac{R_i (v_i + A\beta v_i)}{v_i}$$

$$R_{if} = R_i (1 + A\beta)$$

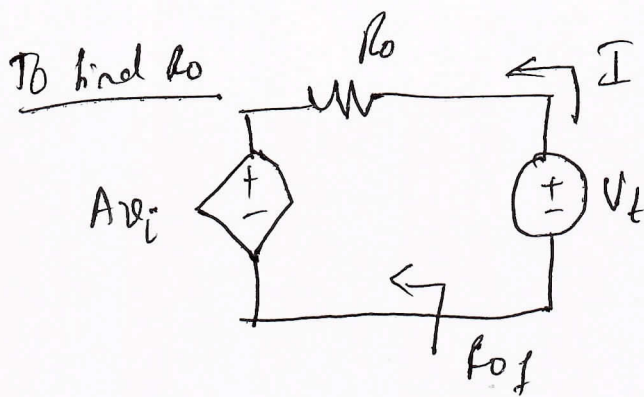
↳ (2)

sol. cr

2M

From (2) input impedance with negative feedback is increased by factor $(1+A\beta)$

(28)



→ 1M

$$R_{of} = V_t / I$$

$$\text{where } I = \frac{V_t - A v_i}{R_o}$$

$$\text{Since } v_s = 0, v_o = -v_f = -\beta v_o = -\beta V_t$$

$$I = \frac{V_t + A\beta V_t}{R_o}$$

$$\therefore R_{of} = \frac{R_o}{(1+A\beta)} \rightarrow (3) \rightarrow 12M$$

From above eqn we can see that o/p impedance with feedback is reduced by factor $(1+A\beta)$

→ 1M

5b) Gain desensitivity [Total Marks = 8M]

With negative feedback closed loop voltage gain will be less sensitive to variation in value of circuit components

$$\text{W.K.T. } A_f = \frac{A}{1+A\beta} \rightarrow (1)$$

→ 1M

Differentiating (1) wrt A.

Abdul C.S.

$$\frac{dA_f}{dA} = \frac{(1+A\beta) \cdot 1 - A(A)}{(1+A\beta)^2}$$

$$\frac{dA_f}{dA} = \frac{1}{(1+A\beta)^2}$$

$$\therefore dA_f = \frac{dA}{(1+A\beta)^2} \rightarrow (2)$$

$$\therefore \frac{dA_f}{A_f} = \frac{dA (1+A\beta)^2}{A (1+A\beta)}$$

$$\frac{dA_f}{A_f} = \frac{1}{(1+A\beta)} \frac{dA}{A} \rightarrow (3)$$

From above eqn we can see that % change in A_f is smaller than % change in A by factor $(1+A\beta)$ $\rightarrow (1M)$

Here $(1+A\beta)$ is also known as desensitivity factor.

2) Bandwidth Extension

B.W. with feedback is much longer than bandwidth without feedback.

The high frequency response can be approximated to a single pole s/m. in midfreq & high freq.

This can be expressed as

$$A(s) = \frac{A_m}{1 + s/\omega_H} \rightarrow (1)$$

$A_m \rightarrow$ mid band gain

$\omega_H \rightarrow$ upper 3dB cutoff

With -ve feedback, eqn (1) can be written as

$$A_f(s) = \frac{A(s)}{1 + \beta A(s)} \rightarrow (2)$$

(30)

Substituting (2) in (2)

$$A_f(s) = \frac{A_m / (1 + s/\omega_H)}{1 + \beta \left(\frac{A_m}{1 + s/\omega_H} \right)}$$

$$A_f(s) = \frac{A_m}{\left(1 + \frac{s}{\omega_H} \right) + \beta A_m}$$

$$\therefore A_f(s) = \frac{A_m}{1 + A_m \beta + \frac{s}{\omega_H}} \rightarrow (3)$$

Dividing (3) by $(1 + A_m \beta)$ at numerator & denominator.

$$A_f(s) = \frac{\frac{A_m}{(1 + A_m \beta)}}{\frac{1 + A_m \beta + s/\omega_H}{(1 + A_m \beta)}} = \frac{A_m / (1 + A_m \beta)}{1 + \frac{s}{\omega_H (1 + A_m \beta)}} \rightarrow (4)$$

Comparing (4) & (1)

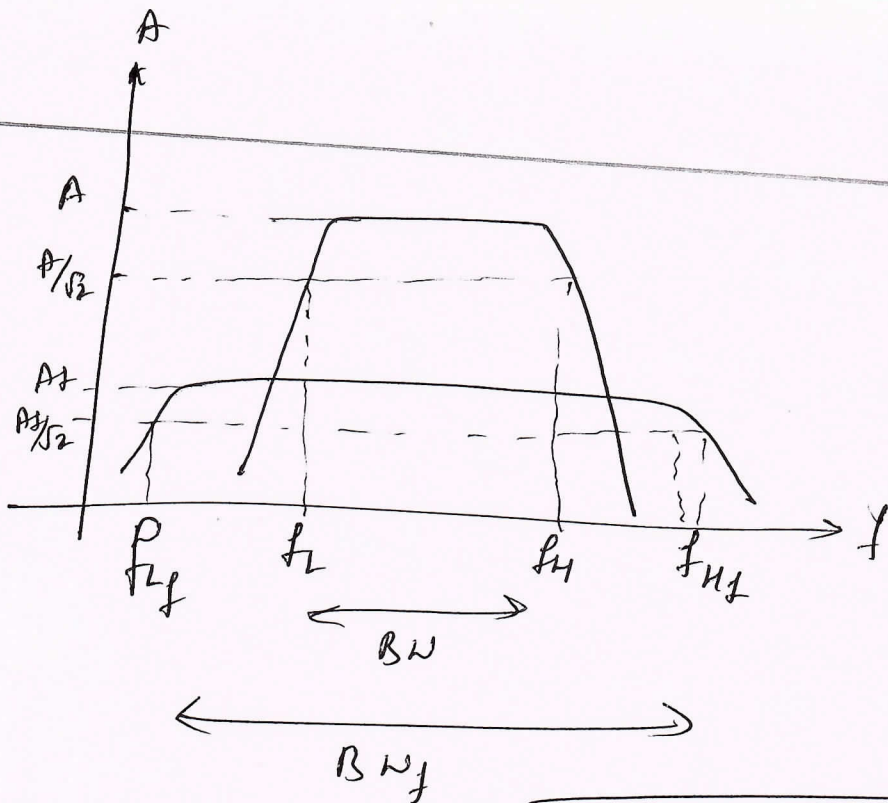
$$A_{mf} = \frac{A_m}{(1 + A_m \beta)} \rightarrow (5)$$

$$\rightarrow \boxed{1M}$$

$$\omega_{Hf} = \omega_H (1 + A_m \beta) \rightarrow (6)$$

$$\rightarrow \boxed{1M}$$

ω_{Hf} is increased by factor $(1 + A_m \beta)$ i.e. $\omega_{Hf} = \frac{\omega_H}{(1 + A_m \beta)}$

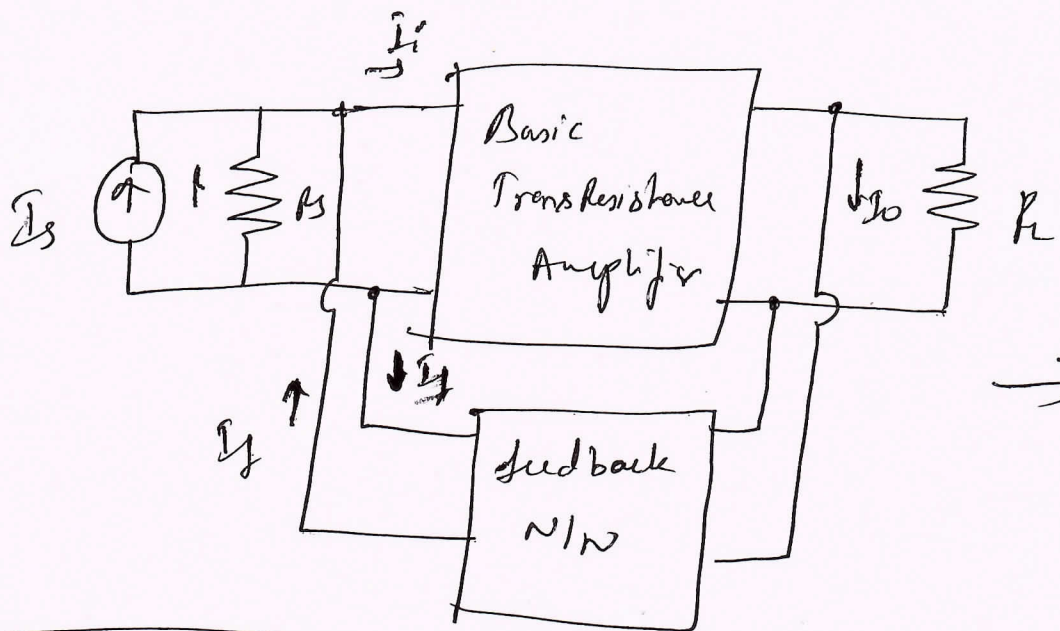


5c)

Trans Resistance Amplifier

Total Marks: 4M

- 1) Here input signal is current & o/p signal is voltage
- 2) This topology is also called shunt shunt feedback
- 3) It has low input & low o/p impedance.



$$R_{if} = \frac{R_i}{(1 + A\beta)}$$

$$R_{of} = \frac{R_o}{(1 + A\beta)}$$

del.cm

6a) Class B o/p stage } Total Marks := 8M

②/3

- i) Here transistor conducts for only one half cycle of input signal
- ii) Here conduction angle is 180°
- iii) Here I_c is zero
- iv) Here Q point is located in cutoff region.
- v) It has good power conversion efficiency.

→ 4M

Power conversion efficiency

$$\% \eta = \frac{P_{o(ac)}}{P_{i(dc)}} \times 100\% \quad \rightarrow (1)$$

→ 1M

$$P_{o(ac)} = V_{rms} I_{rms}$$

$$= \frac{V_m}{\sqrt{2}} \times \frac{I_m}{\sqrt{2}} = \frac{V_m I_m}{2} \quad \rightarrow (2)$$

→ 1M

where

V_m = peak value of o/p vol = V_{CC}

I_m = " " " " current = I_{cp}

$$P_{i(dc)} = I_{dc} V_{CC} = \frac{2 I_m}{\pi} V_m \quad \rightarrow (3)$$

Substituting (2) & (3) in (1)

$$\% \eta = \frac{V_m I_m / 2}{\frac{2 I_m}{\pi} V_m} \times 100\%$$

→ 1M

total C.M.

$$\therefore \% \eta = \frac{\pi}{4} \times 100\%$$

$$\boxed{\% \eta = 78.5\%} \quad \rightarrow \boxed{1M}$$

6b) $R_L = 80 \Omega$, $I_{CQ} = 120 \text{ mA}$, $\alpha = \frac{N_1}{N_2} = 5$.

$$P_{o(ac)} = I_{rms} V_{rms}$$

Total Marks = 6M

$$P_{o(ac)} = I_{rms}^2 \times R_L'$$

$\rightarrow \boxed{1M}$

$$I_{rms} = \frac{I_m}{\sqrt{2}} = \frac{1}{\sqrt{2}} \left(\frac{I_{C(max)} - I_{C(min)}}{2} \right)$$

$$= \frac{1}{\sqrt{2}} \left(\frac{2I_{CQ} - 0}{2} \right)$$

$$I_{rms} = \frac{I_{CQ}}{\sqrt{2}} = \frac{120 \text{ mA}}{\sqrt{2}} \quad \rightarrow \boxed{2M}$$

$$\therefore P_{o(ac)} = \left(\frac{120 \text{ mA}}{\sqrt{2}} \right)^2 \times R_L' \quad \rightarrow \boxed{1M}$$

$$R_L' = \left(\frac{N_1}{N_2} \right)^2 \times R_L = \left(\frac{5}{1} \right)^2 \times 80 = 2000 \Omega$$

$$\therefore \boxed{P_{o(ac)} = 14.4 \text{ W}} \quad \rightarrow \boxed{2M}$$

Rohit . C . M.

6c) i) In class B power Amplifier circuit there will be (34) cross over distortion. i.e. whenever V_i goes positive & exceeds above 0.5V. the transistor conducts & operates as emitter follower.

$$V_o = V_i - V_{BE(N)} \rightarrow (1)$$

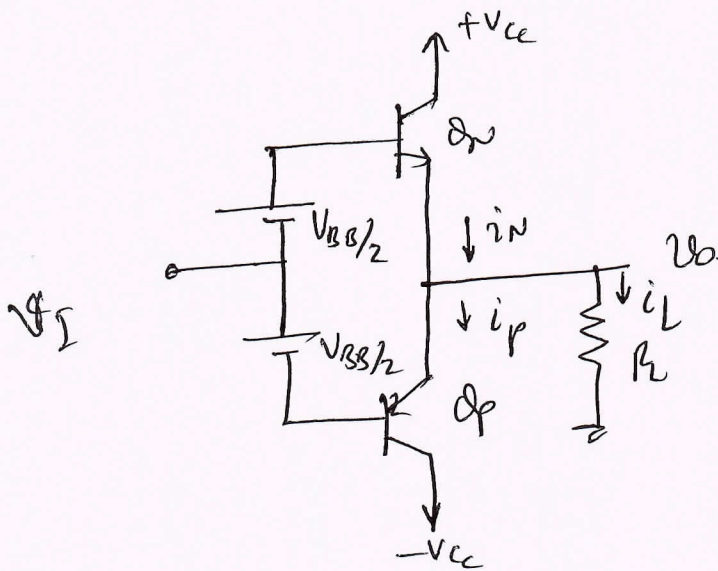
(16)
Total Marks
6M

ii) When i/p voltage goes negative & exceeds above -0.5V, Q_p conducts & operates as emitter follower.

$$V_o = V_i + V_{BE(P)} \rightarrow (2)$$

→ 2M

ii) Here in order to overcome this we go for Class AB power Amplifier.



→ 2M

ii) Here small dc voltage $V_{BB}/2$ is applied to base of transistor Q_n & Q_p .

iii) $V_{BB}/2$ is selected such that it nullifies V_{BE} drop.

iv) Here we bias transistor in cut-in region.

total.c.m

$$-V_I + V_{BE}/2 + V_{BE} + V_O = 0$$

→ (1)

(2)

(3)

$$V_O = V_I + V_{BE}/2 - V_{BE}$$

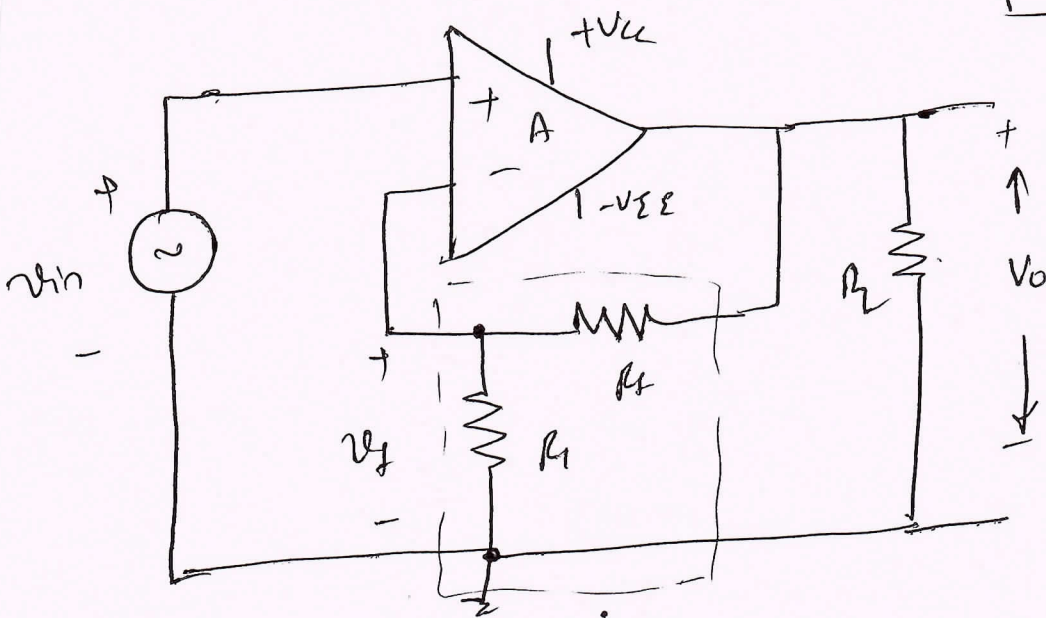
Since $V_{BE}/2 = V_{BE}$

$$\boxed{V_O = V_I} \rightarrow (2) \rightarrow \boxed{2M}$$

From eqn (2) we can see that crossover distortion is overcome by applying bias voltage.

7a) Voltage Series feedback Amplifier

Total Marks
8M



→ 1M

The above figure shows voltage series feedback amplifier with open loop gain A & feedback circuit consisting of 2 resistors R_1 & R_f . It is also known as Non-Inverting Amplifier.

2) $A = v_o/v_{id}$, $A_f = \frac{v_o}{v_{in}}$, $\beta = \frac{v_f}{v_o}$

1M → 12M

2) Negative feedback

Applying KVL we get

$$v_{id} = v_{in} - v_f \rightarrow (1)$$

→ [1M]

v_{in} = input voltage

v_f = feedback voltage

v_{id} = difference input voltage

From eqn (1) we can see that op-amp amplifies difference b/w input voltages (v_{id})

ii) Closed loop voltage gain

$$A_f = \frac{v_o}{v_{in}} \rightarrow (1)$$

But $v_o = A(v_1 - v_2) \rightarrow (2)$

$$v_1 = v_{in} \rightarrow (3)$$

$$v_2 = v_f = \frac{R_1 v_o}{R_1 + R_f} \quad R_1 \gg R_f$$

$$\therefore v_o = A \left(v_{in} - \frac{R_1 v_o}{R_1 + R_f} \right)$$

we get

$$A_f = \frac{v_o}{v_{in}} = \frac{A(R_1 + R_f)}{(R_1 + R_f) + AR_1} \rightarrow (2)$$

→ [2M]

Redd.c.M.

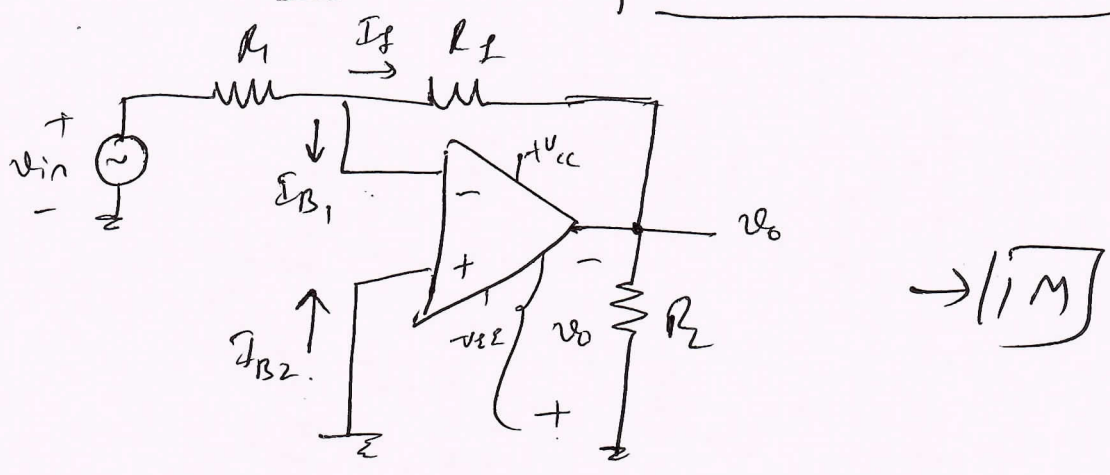
since A is very large,
 $A R_f \gg (R_1 + R_f)$

$$\therefore A_f = \frac{V_o}{V_{in}} = 1 + \frac{R_f}{R_1} \rightarrow (3) \rightarrow [1M]$$

$$\beta = \frac{V_f}{V_o} = \frac{R_1}{R_1 + R_f} = \frac{1}{A_f} \rightarrow (4) \rightarrow [1M]$$

From eqn (3) we can see that closed loop gain A_f depends only on R_f & R_1 & hence gain is constant.

76) i) Virtual Ground Total Marks :- 6M



- 1) The above figure shows inverting amplifier
- 2) Since non-inverting terminal is grounded & input signal is connected to inverting input terminal via a R_1
- 3) The differential input voltage is ideally zero i.e. the voltage at inverting terminal v_2 is approximately equal to voltage at non-inverting terminal (v_1)

Since v_1 is connected to ground v_2 will be 0

(28)

$$\therefore i_{in} = i_f$$

$$\frac{v_{in} - v_2}{R_1} = \frac{v_2 - v_o}{R_f}$$

However

$$v_1 = v_2 = 0$$

$$\frac{v_{in}}{R_1} = - \frac{v_o}{R_f}$$

$$\therefore A_f = \frac{v_o}{v_{in}} = - \frac{R_f}{R_1}$$

→ 2M

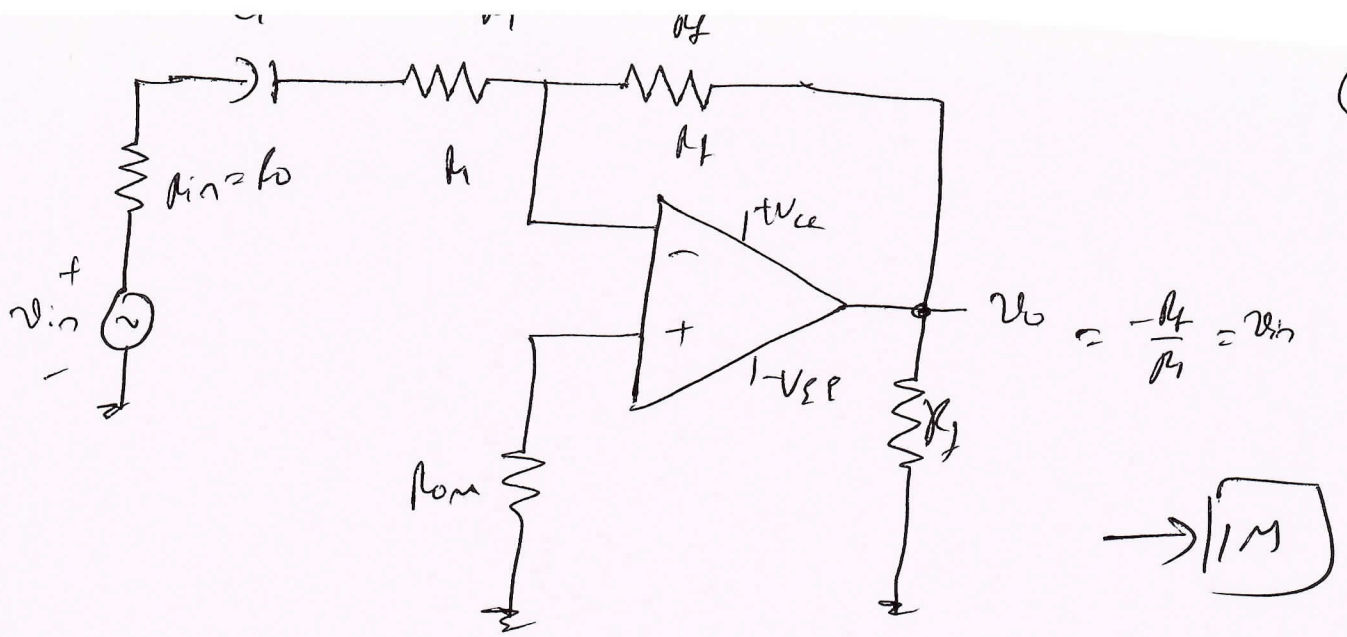
AC Amplifier

- 1) Here opamp responds wrt changes in ac input.
- 2) If ac input is having some dc level, then it is necessary to use a coupling capacitor.
- 3) The coupling capacitor not only blocks dc voltage but also pass AC. It sets lower cutoff frequency.

$$f_c = \frac{1}{2\pi C_i (R_i + R_o)}$$

→ 1M

Answer d, 4.



4) The higher cutoff frequency f_H depends on closed loop voltage gain of amplr.

5) The B.W. is given by $\boxed{BW = f_H - f_L}$

6) To minimize effect of o/p offset voltage produced by resistor R_{om} or o/p coupling capacitor C_o may ~~be~~ used. $\rightarrow 1M$

7c) $R_1 = 1k\Omega$, $R_f = 10k\Omega$, $A = 200000$, $R_i = 2M\Omega$, $R_o = 75\Omega$
 $f_0 = 5Hz$. $\boxed{\text{Total Marks} = 6M}$

$$A_f = 1 + \frac{R_f}{R_1} = 11 \quad \rightarrow \boxed{2M}$$

$$R_{if} = R_i (1 + A\beta) = 2M \left(1 + 200000 \times \frac{1}{11} \right) = 3.63 \times 10^6 \Omega \quad \rightarrow \boxed{2M}$$

$$R_{of} = R_o / (1 + A\beta) = 4.12 m\Omega \quad \rightarrow \boxed{1M}$$

$$f_f =$$

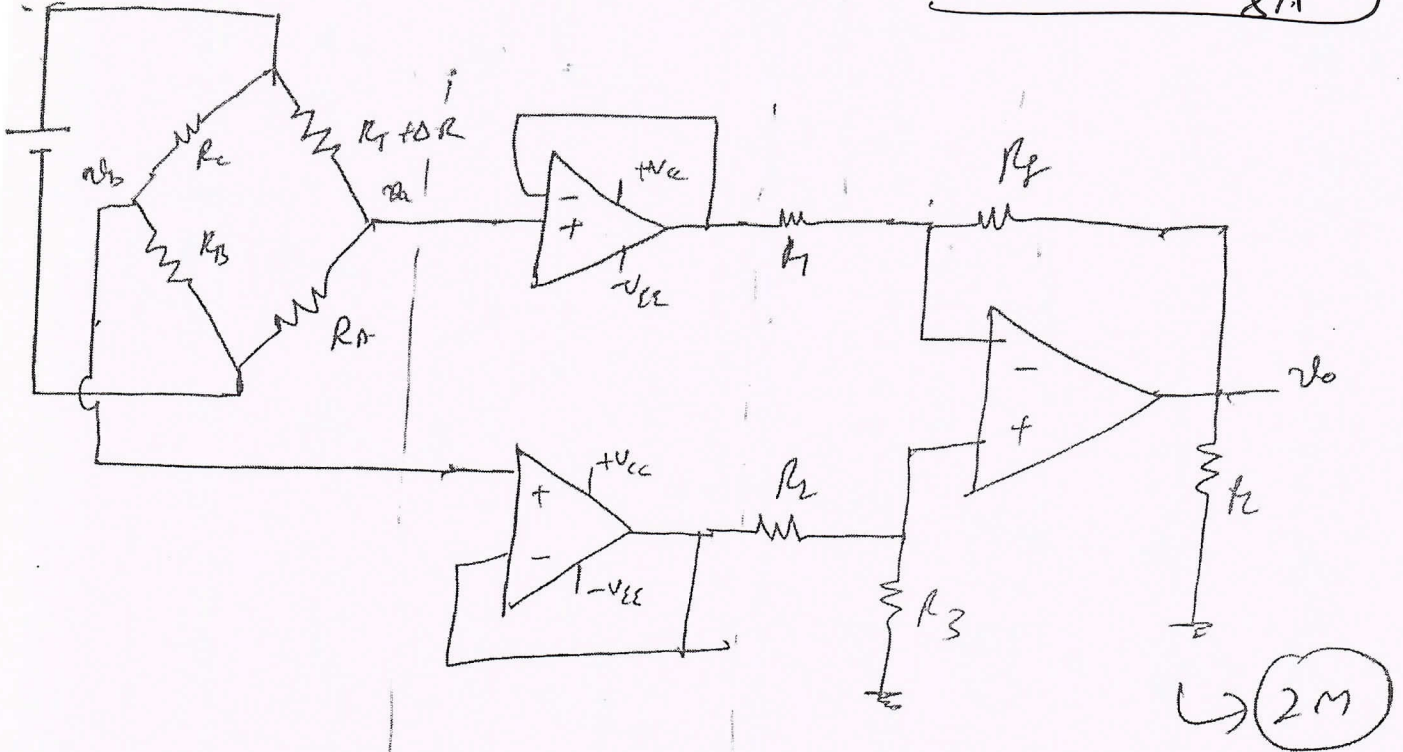
1M.C.M $\rightarrow 1M$

8a) IA

Instrumentation Amplifier

Total Marks 31
8A

40



← Differential → Difference Amplifier →
i/p, o/p apls

- 1) The above figure shows instrumentation amplifier using transducer bridge.
- 2) Here a resistive transducer (strain gauge) is used whose resistance changes as function of physical energy applied.
- 3) It is denoted by $R_T + \Delta R$, where R_T is resistance of transducer & ΔR is change in resistance of R_T .
- 4) At bridge balance. Explan → (1M)

Abh. C.M.

$$V_a = V_b$$

$$\frac{V_{dc} \times R_B}{R_c + R_B} = \frac{V_{oc} \times R_A}{R_A + R_T}$$

(28)

(41)

→ (2M)

5) Generally R_c, R_b, R_c & R_T chosen to be same at some reference temperature.

6) The bridge is balanced at reference condition, as the physical qty to be measured changes, the resistance of transducer also be changed, causing bridge imbalance $V_a \neq V_b$

7) Let ΔR be change in resistance of transducer, since R_B & R_c are fixed resistor, the voltage V_b is constant however V_a varies as the function of transducer resistor

$$V_a = \frac{V_{dc} \times R_A}{R_A + (R_T + \Delta R)} \rightarrow (2)$$

$$V_b = \frac{V_{dc} \times R_B}{R_c + R_B} \rightarrow (3)$$

$$V_{ab} = V_a - V_b$$

$$= \frac{V_{dc} \times R_A}{R_A + (R_T + \Delta R)} - \frac{V_{dc} \times R_B}{R_c + R_B}$$

(2M)

$$V_{as} = -\frac{V_{dc} \times \Delta R}{2(2R + \Delta R)} \rightarrow (5)$$

(39) 37

(42)

Here -ve sign indicates V_a is less than V_b .

The o/p voltage V_{as} is applied to differential i/p, o/p amplifier consisting of 3 opamp.

$$\therefore V_o = \frac{R_f}{R_1} \left(\frac{V_{dc} \times \Delta R}{2(2R + \Delta R)} \right) \rightarrow (6)$$

Since $2R \gg \Delta R \Rightarrow 2R + \Delta R \approx 2R$ (Im)

$$V_o = \frac{R_f}{R_1} \frac{\Delta R}{4R} V_{dc}$$

$$\underline{\underline{V_o \propto \Delta R}}$$

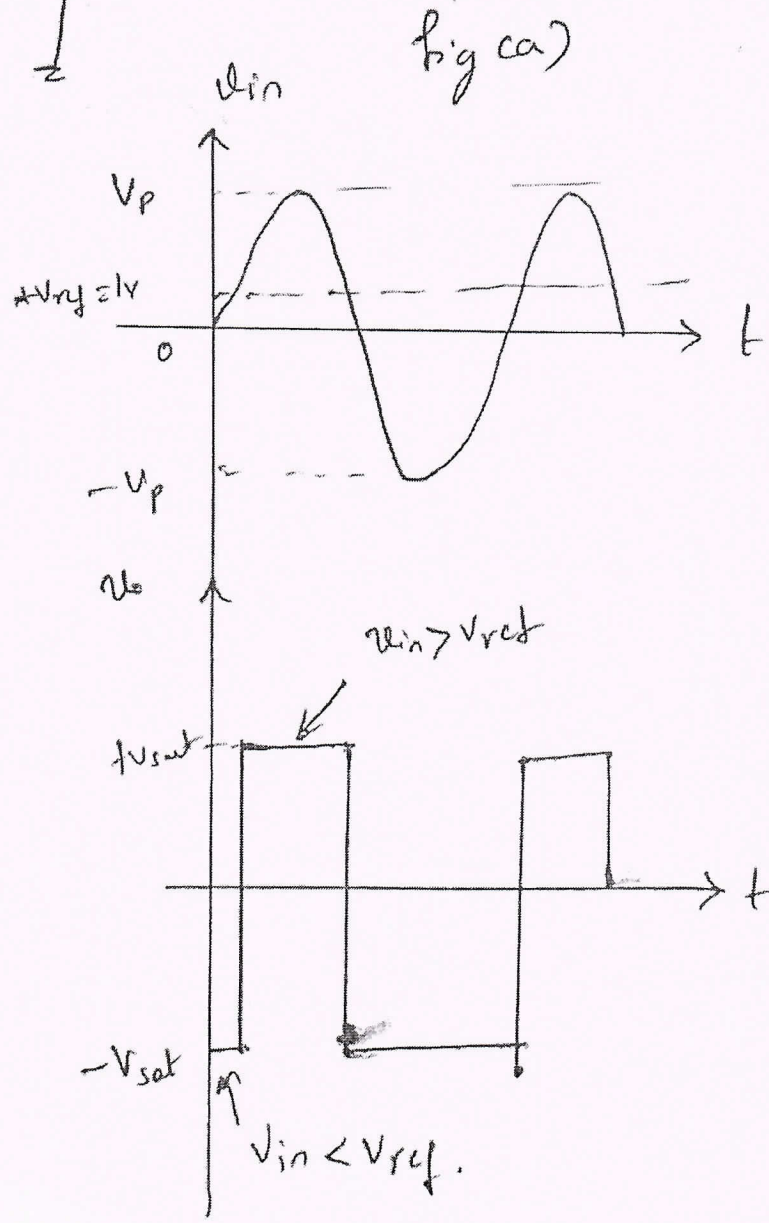
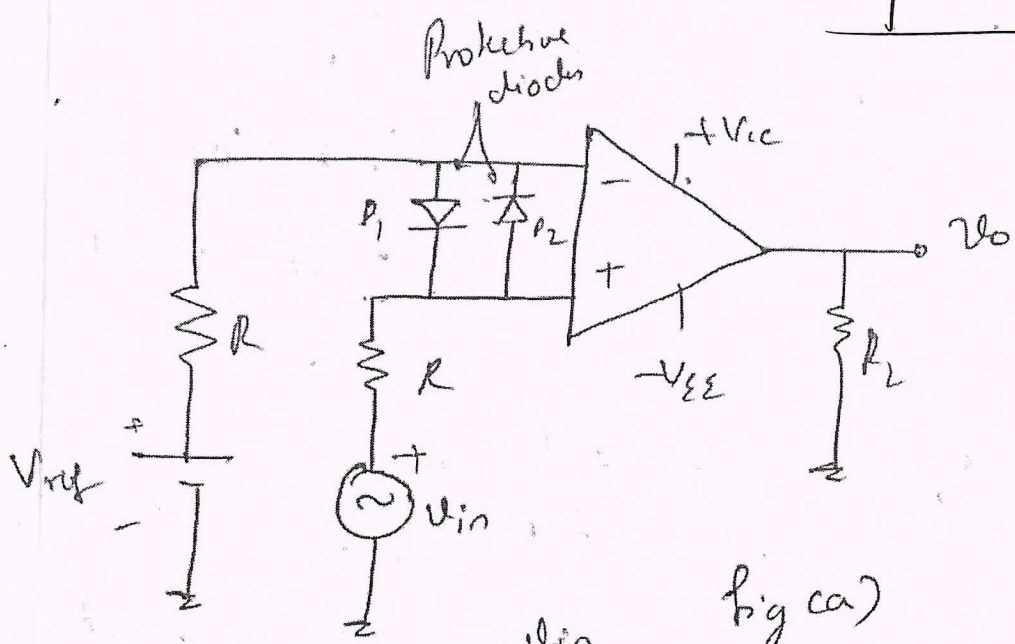
Khalid

8b)

Basic Comparator

Total Marks 6M

48



→ 2M

Rehul C M

1) The figure shows op-Amp used as a
comparator.

2) A fixed reference voltage $V_{ref} = 1V$ is applied
to (-) input; & other input is applied with
 V_{in}

3) Whenever $V_{in} < V_{ref}$ inverting input
terminal will be at higher potential &
hence o/p of the op-Amp goes to negative
sat. $-V_{sat}$

4) Whenever $V_{in} > V_{ref}$ non-inverting input
will be at higher potential & hence
o/p of the op-Amp will be at the sat.
 $+V_{sat}$.

5) The ckt is also known as ~~square~~ sine
wave to square wave converter.

Ex: $\boxed{-12M}$

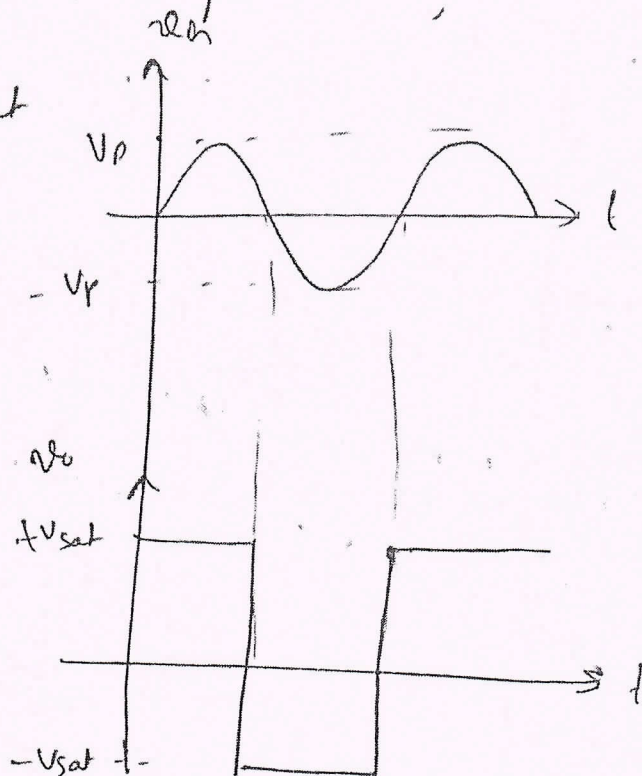
Zero Crossing detector

(45)

1) In basic comparator {fig a} if $V_{ref} = 0$ then it will act as zero crossing detector.

2) When $V_{in} < 0$, inverting terminal will be at higher true potential, hence o/p will be $-V_{sat}$

2) When $V_{in} > 0$, non-inverting terminal will be at higher true potential, hence o/p will be $+V_{sat}$



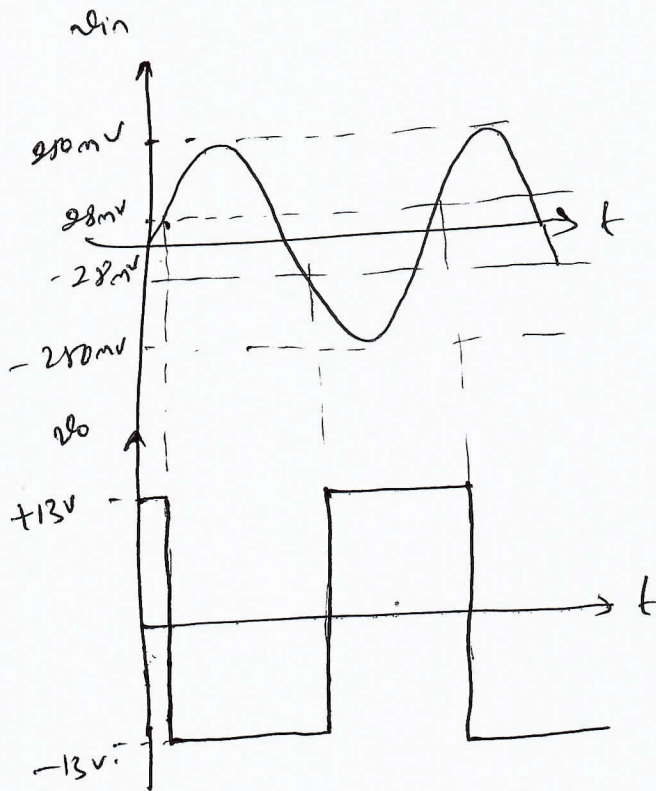
→ [2M]

8) $R_1 = 150\Omega$, $R_2 = 68K\Omega$, $V_{in} = 500mV_{p-p}$. Total Marks 6M

(46)

$$V_{ut} = V_{sat} \left(\frac{R_1}{R_1 + R_2} \right) = 13 \left(\frac{150}{68K + 150} \right) = 28mV \quad \rightarrow \boxed{2M}$$

$$V_{lt} = -V_{sat} \left(\frac{R_1}{R_1 + R_2} \right) = -13 \left(\frac{150}{68K + 150} \right) = -28mV \quad \rightarrow \boxed{2M}$$



$\rightarrow \boxed{2M}$

Total Marks = 8M

9a) R-2R DAC

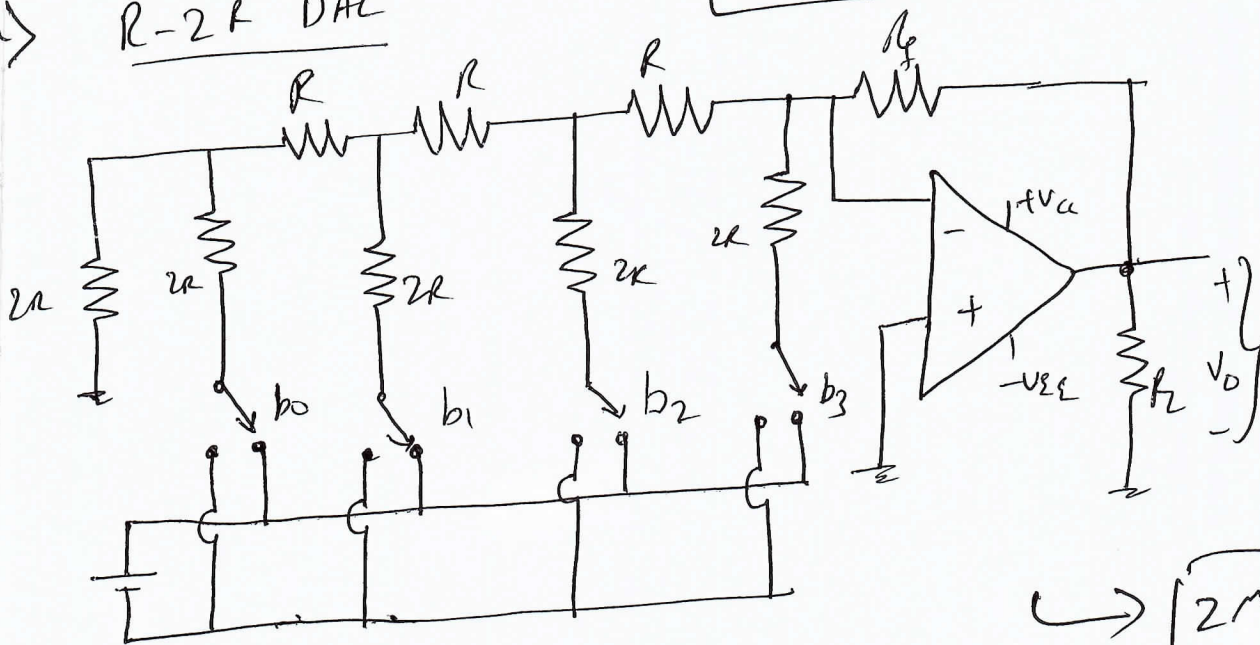
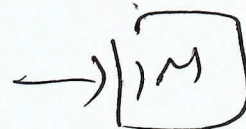
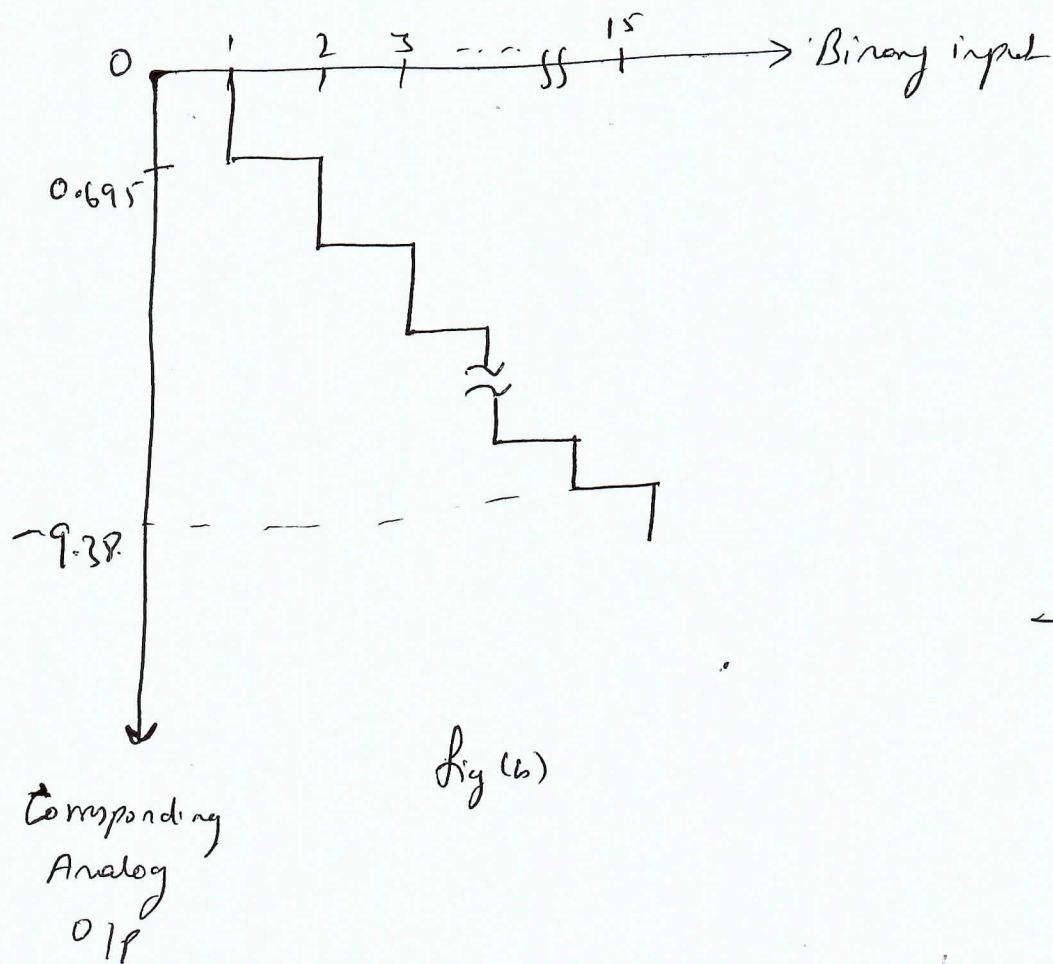


Fig (a)

$\rightarrow \boxed{2M}$
Red.c.m



- 1) Figure (a) shows Digital to Analog converter with R-2R resistor.
- 2) Binary inputs are given via switches b_0 to b_3 .
- 3) Output voltage is directly proportional to binary input.
- 4) The problem with binary weighted DAC is overcome by using R-2R DAC, since it uses only 2 resistors.
- 5) If MSB bit is connected to 5V & other switch are connected to ground, we get their equivalent resistor given by

$$R_{in} = ((2R \parallel 2R) + R) \parallel 2R + R) \parallel 2R = 2R$$

$$V_o = -\frac{R_f}{R} \left[\frac{b_0}{16} + \frac{b_1}{8} + \frac{b_2}{4} + \frac{b_3}{2} \right]$$

(48)

$$V_o = -\frac{R_f}{R} V_{ref} \left[\frac{B_0}{16} + \frac{B_1}{8} + \frac{B_2}{4} + \frac{B_3}{2} \right] \rightarrow \boxed{PM}$$

Given $R_2 = 10k\Omega$, $R_f = 20k\Omega$, $V_{ref} = 5V$.

$$V_o = -\frac{20k^2}{10k} \times 5 \left[\frac{5}{16} + \frac{5}{8} + 0 + 0 \right]$$

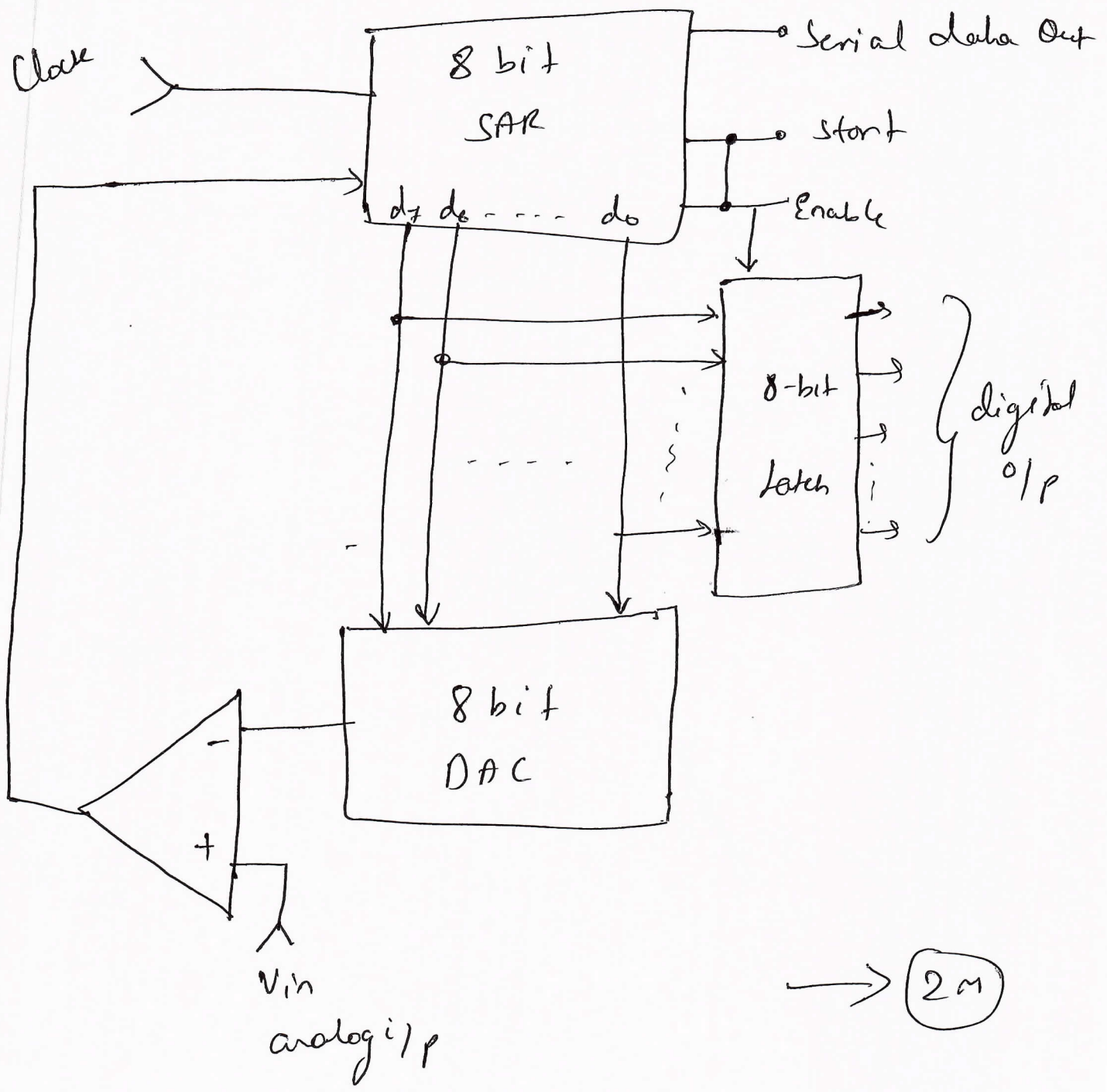
$$= -10 \left[\frac{40 + 80}{128} \right]$$

 $\rightarrow \boxed{PM}$

$$V_o = -0.976V //$$

John.C.M.

9b) Successive Approximation type ADC ⁽⁴⁾
6M



Abdul C. M.

V_{in}	SAR (o/p)								Comparator Op
	Q_7	Q_6	Q_5	Q_4	Q_3	Q_2	Q_1	Q_0	
4.156	1	0	0	0	0	0	0	0	1
(212)	1	1	0	0	0	0	0	0	1
	1	1	1	0	0	0	0	0	0
	1	1	0	1	0	0	0	0	1
	1	1	0	1	1	0	0	0	0
	1	1	0	1	0	1	0	0	1
	1	1	0	1	0	1	1	0	0
	1	1	0	1	0	1	0	1	0
	1	1	0	1	0	1	0	0	0

→ 2M

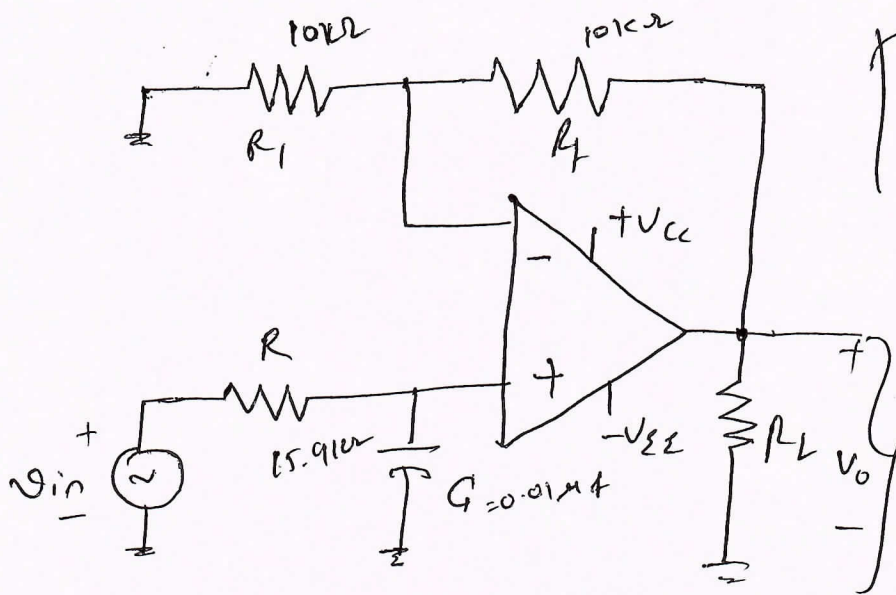
- 1) The heart of circuit is 8bit SAR
- 2) The o/p of SAR is given to 8-bit DAC.
- 3) The o/p of 8-bit DAC is compared with analog V_{in}
- 4) Initially $Start = 1$ & SAR is reset

On first clock pulse, MSB is set & all other bits are reset

Explan - 2M

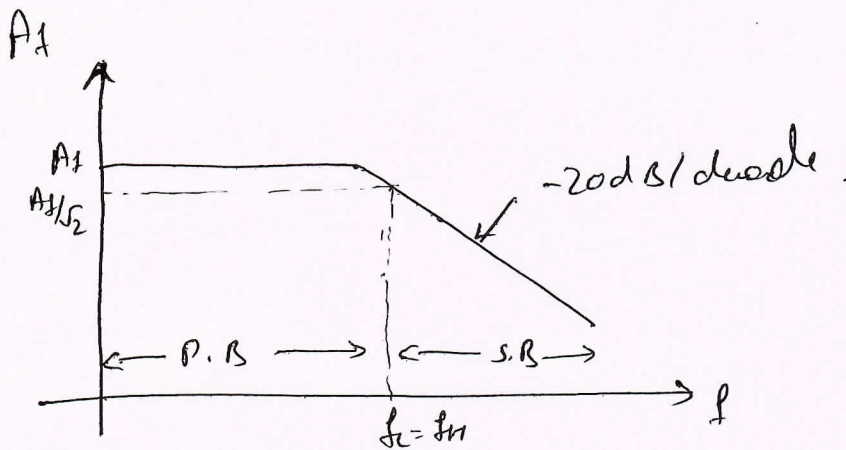
- i) If $V_{in} < V_a$ o/p of comparator is zero, SAR resets current bit & sets next bit.
- ii) If $V_{in} > V_a$ o/p of comparator is 1, SAR retains current bit & sets next bit.

9c) First Order low pass Butterworth filter: (57)



Total Marks
6M

→ 2M



→ 1M

(1) $f_h = 1 \text{ kHz}$

(2) Let $C = 0.01 \mu\text{F}$

$$R = \frac{1}{2\pi f_h C} = 15.91 \text{ k}\Omega$$

→ 1M

$$A_1 = 1 + \frac{R_f}{R_1} = 2 =$$

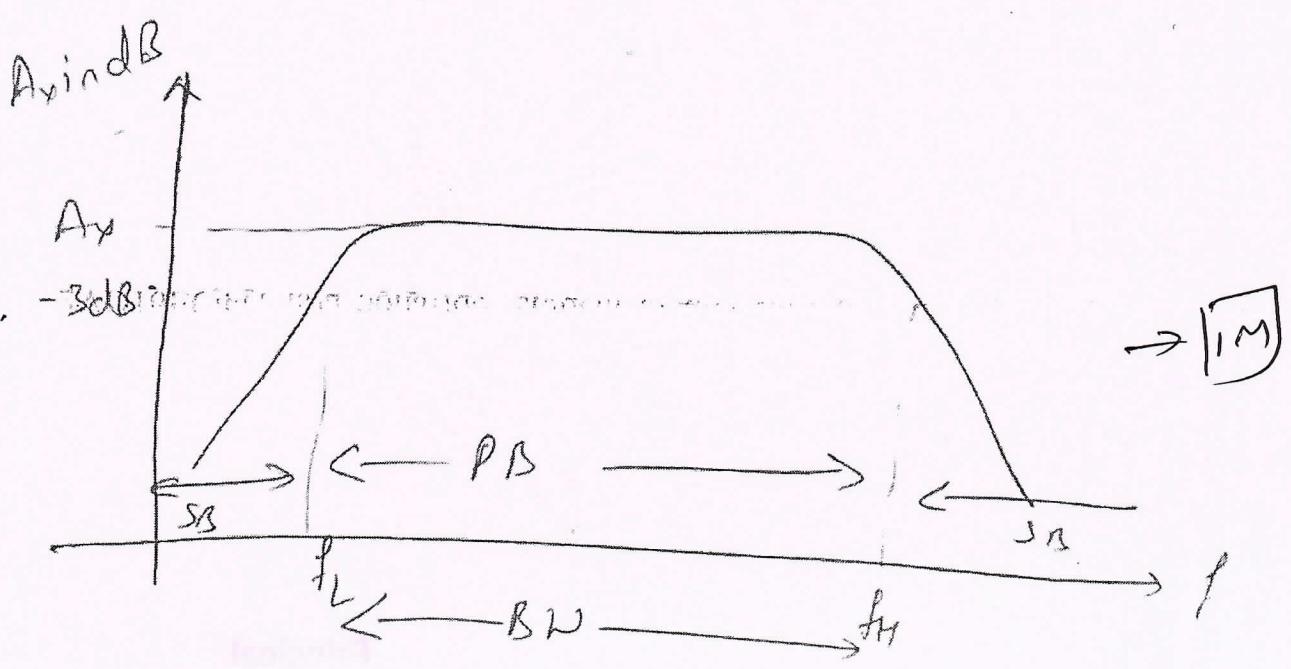
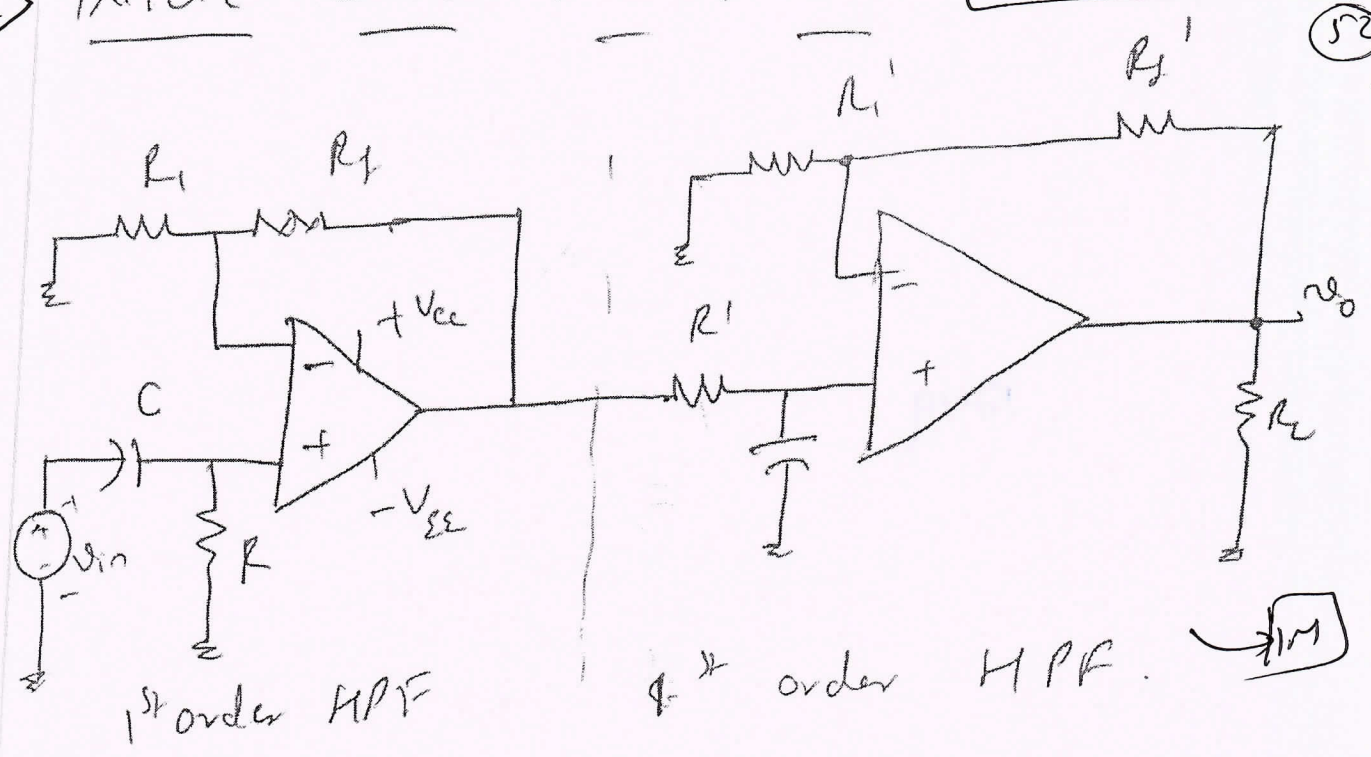
$$\therefore R_f = R_1$$

Let $R_f = R_1 = 10 \text{ k}\Omega$

→ 2M

total.c.m

10a) Wide Band Pass Filter Total Marks = 6M



- 1) Wide band pass filter is obtained by cascading HPF & LPF
- 2) To obtain ± 20 dB/decade band pass filter,

Abdul . C . M

first order HPF & first order LPF are cascaded

3) To obtain \pm mod 8/decode BPF: second order

• HPF & LPF are cascaded

4) here f_H should be larger than f_c ($f_H > f_c$)

$$\left| \frac{V_o}{V_{in}} \right| = \frac{A_f \left(f/f_c \right)}{\sqrt{\left(1 + \left(f/f_c \right)^2 \right) \left(1 + \left(f/f_H \right)^2 \right)}} \rightarrow \boxed{IM}$$

5) Since pass band gain of HBPF is 4, the pass band gain of LPF & HPF will be

2

$\boxed{\text{Exp'n} = 2M}$

Q-factor

1) It is called "figure of merit" for filter ckt.

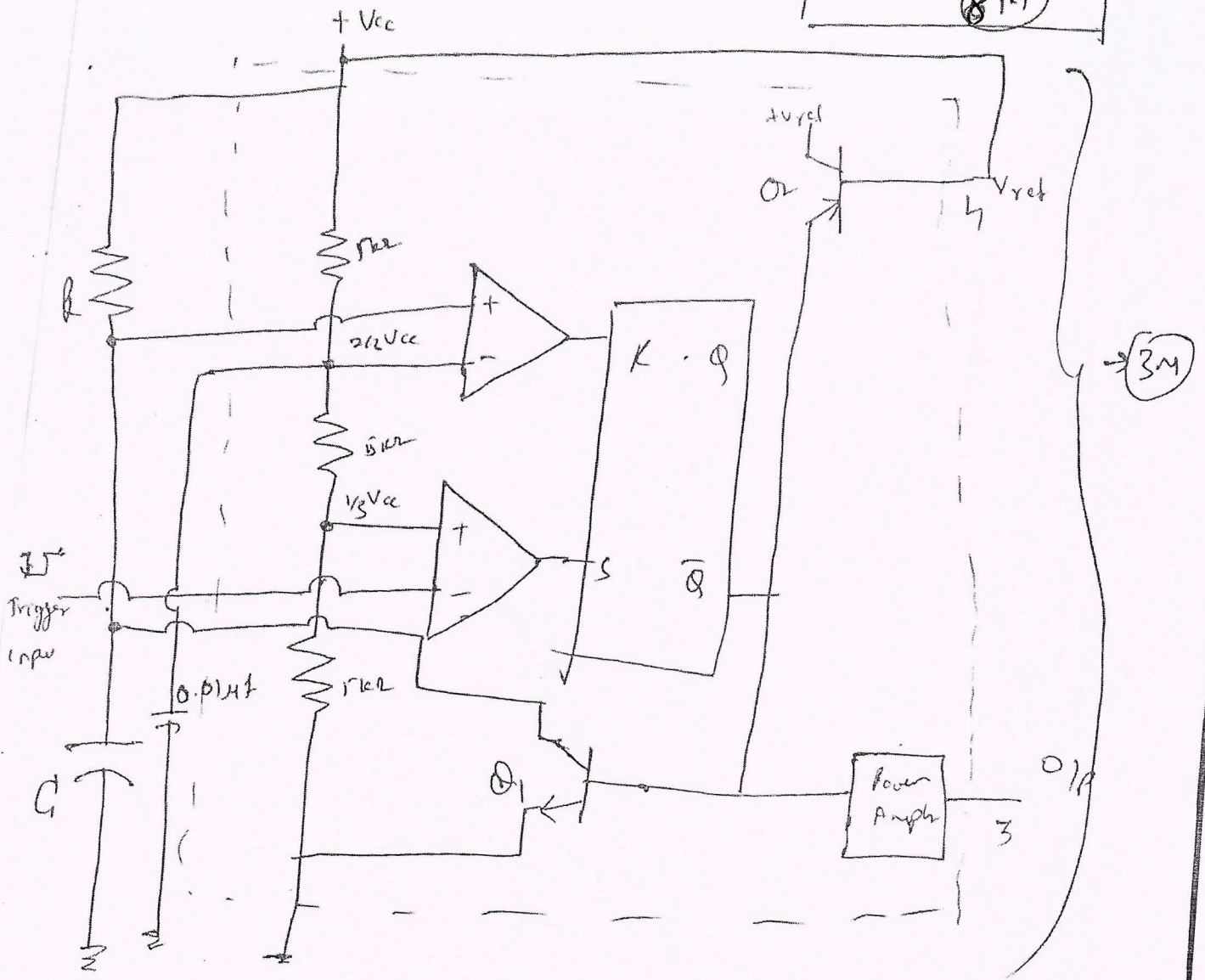
2) It defines selectivity of filter in passing centre freq & rejecting other frequency.

$$Q = \frac{f_c}{BW} \rightarrow \boxed{IM}$$

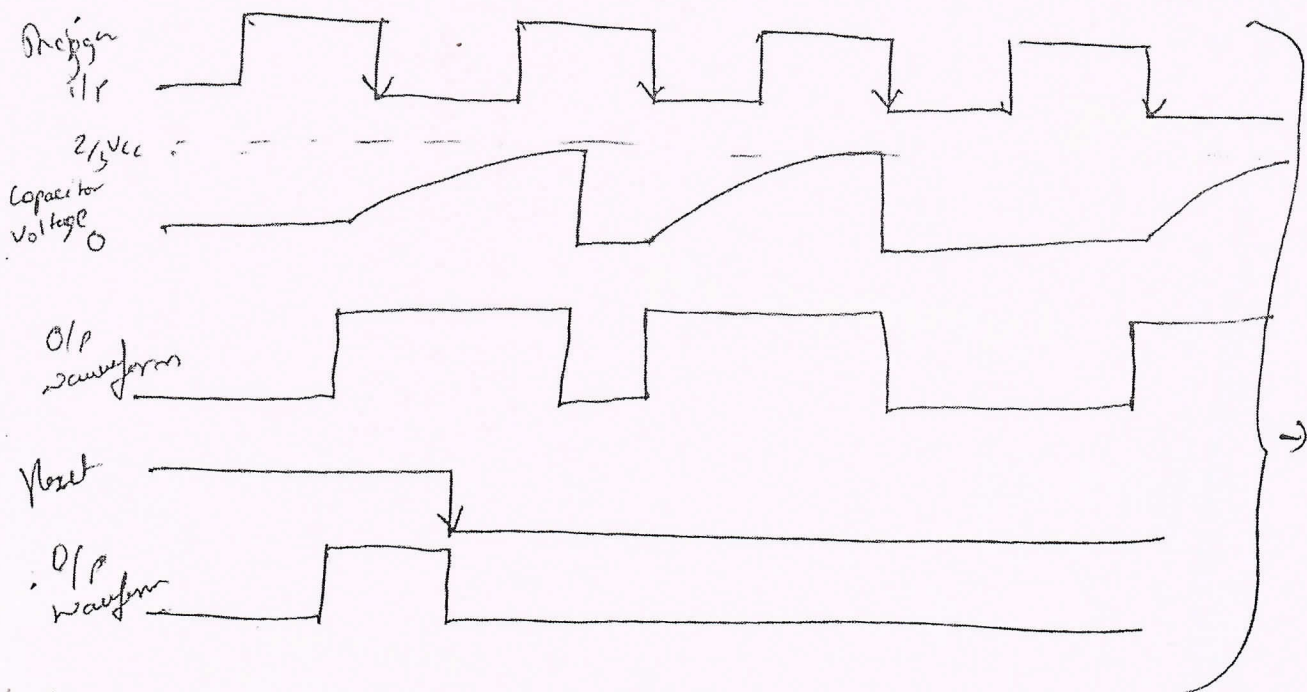
10 b)

Monostable Multivibrator

Total Marks
8M



3M



2M

Prabh. r. m

- 1) In standby state \bar{Q} o/p of SR flip-flop = 1. (50)
- 2) When o/p of 555 timer = 0, discharge transistor Q_1 is ON, clamping capacitor to ground.
- 3) When trigger voltage is applied & $V_{trigger}$ vol. goes below $\frac{1}{3}V_{cc}$, the o/p of L.C. is $S=1, R=1$.
 $\therefore \bar{Q} = 0$. The o/p of timer is (high).
- 4) The discharge transistor Q_1 is off, Now capacitor starts charging towards V_{cc} via R.
- 5) The capacitor continues to charge until voltage of capacitor exceeds $\frac{2}{3}V_{cc}$, When vol. across capacitor goes above $\frac{2}{3}V_{cc}$, $R=1, \bar{Q}=1$ & o/p of 555 timer goes low.
- 6) The discharge transistor Q_1 is ON, clamping external timing capacitor C to ground.
- 7) From the waveform we can see that once triggered the o/p remain in high state until time T_p .
- 8) When reset goes low, o/p is forced to zero. Since discharge transistor is turned ON.

Explanation $\rightarrow 3M$

Rev. C.M.

10c)

$$R_A = 2.2 \text{ k}\Omega, R_B = 3.9 \text{ k}\Omega, C = 0.1 \mu\text{f}$$

$$t_c = 0.693 (R_A + R_B) C$$

$$= 0.42 \text{ ms} //$$

→ 2M

Total Marks
6M

85

$$t_d = 0.693 R_B C$$

$$= 0.693 \times 3.9 \text{ k}\Omega \times 0.1 \mu\text{f}$$

$$= 0.27 \text{ ms} //$$

→ 2M

$$f = \frac{1}{t_c + t_d} = 1.44 \text{ kHz} //$$

→ 2M

Poh. C. M.